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Submission Title: [A new LOS kiosk channel model based on TSV model]

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Abstract: [This contribution describes LOS kiosk channel model based on TSV model.]

Purpose: [Contribution to mmW TG3c meeting.]

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A new LOS kiosk channel model based on TSV model

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Summary

- Current kiosk environment (UM5) employs LOS office channel model (CM3)
- Some channel model users claimed that the channel model for UM5 has too strong reflections
- We re-measured propagation characteristics for kiosk environment and created a new channel model
- We suggest to use the new channel model to replace the current model (UM5)

Problem of kiosk (UM5) channel model

- Kiosk and office environments are found to be quite different environments
- Metal walls in office rooms cause the strong reflection, however, this is not the case of kiosk usage
- In kiosk environments, distance between server and PDA is 1m and human body will block large delay reflection waves, so that the delay spread will be smaller than that of LOS office environments
- More suitable channel model for kiosk environments is required

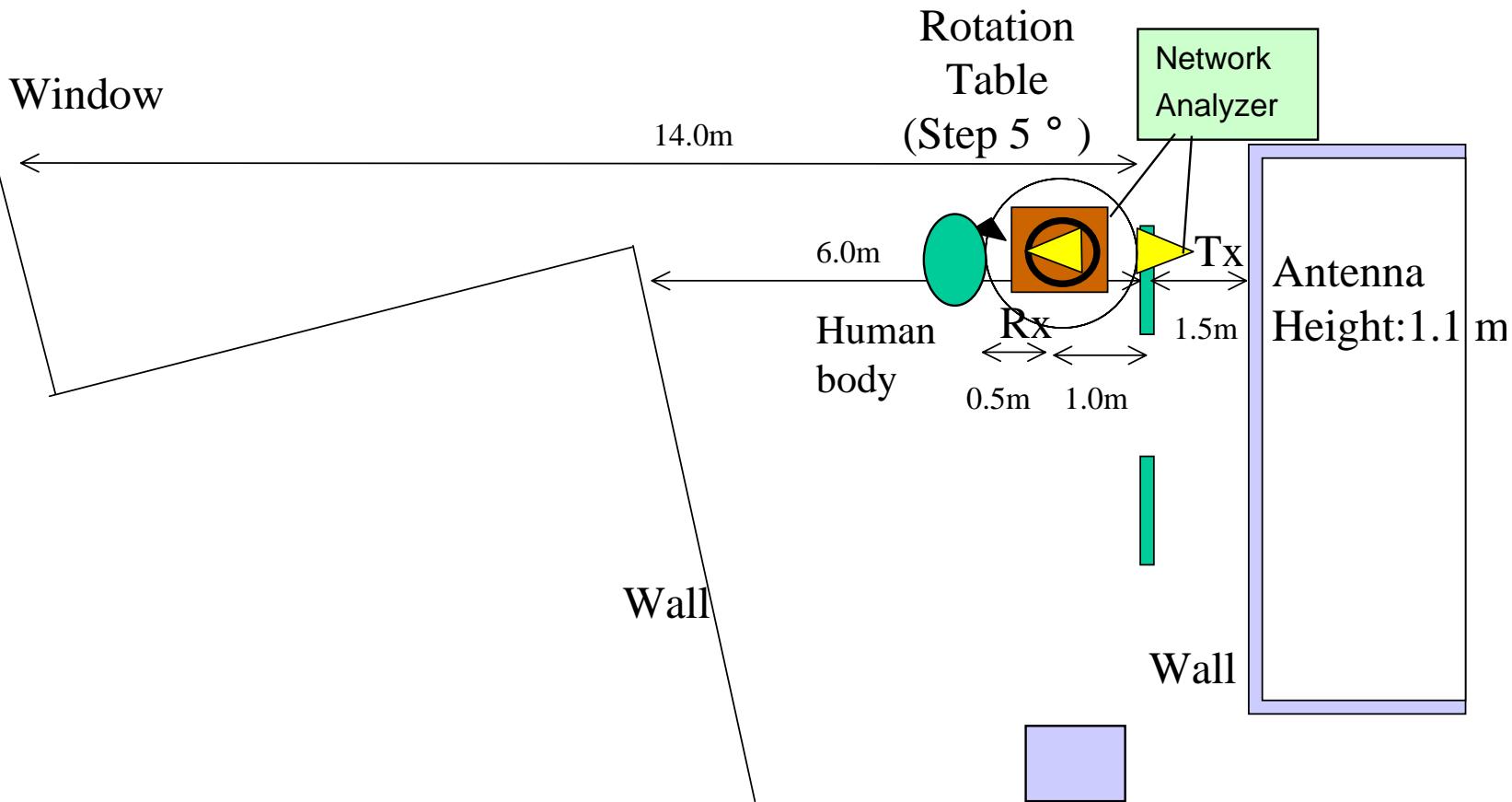
Measurement environment 1

Entrance hall of building

- With Objects that looks like kiosk server
- With Human body



Measurement environment 1



Floor plan of LOS kiosk environment

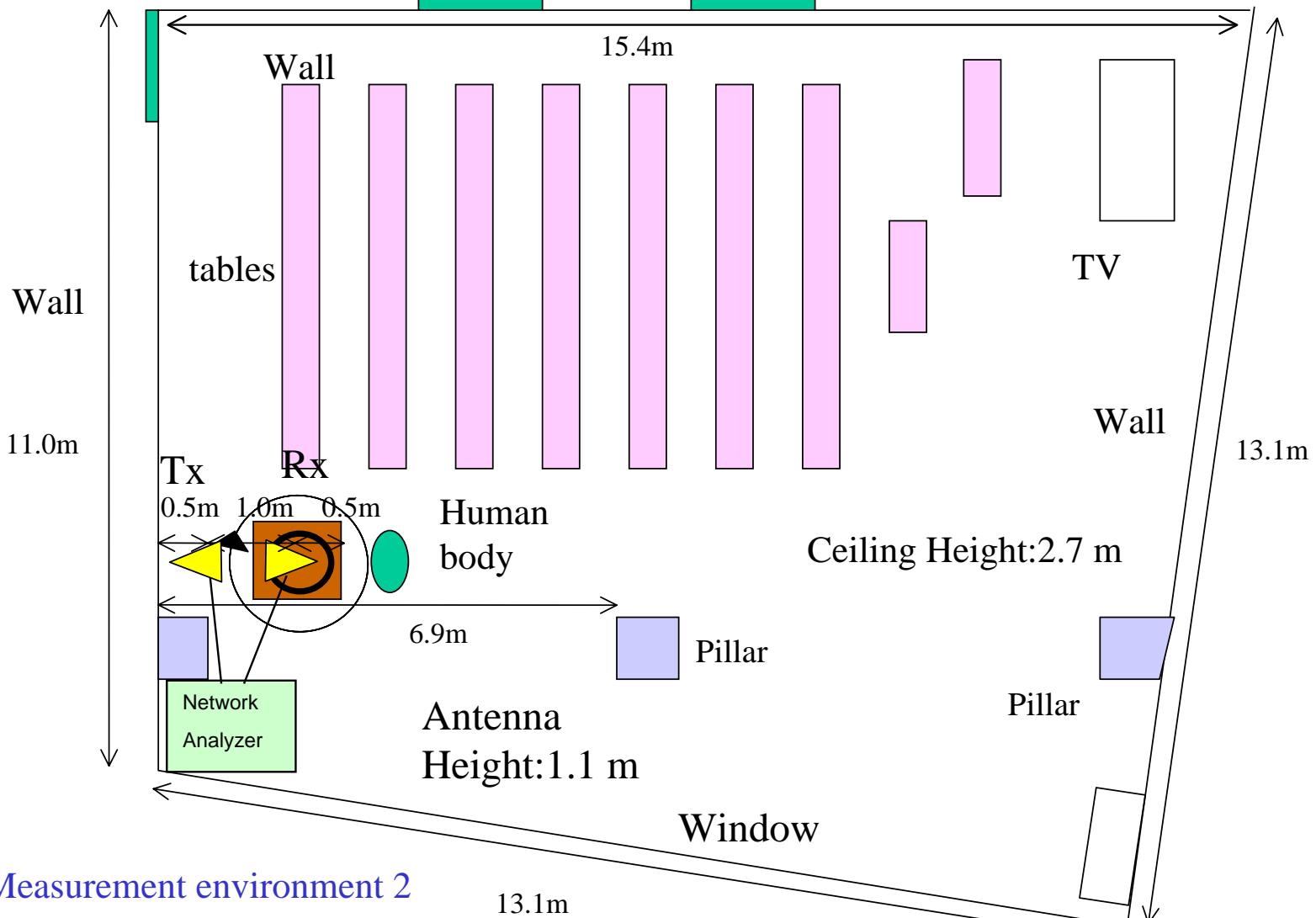
Measurement environment 2



Large room of
building: 11.0mx15.4m

(situation in such as
convenience store)

- Surrounded by plaster board
and glass window
- With Human body



Measurement conditions

Instrument	HP8510C VNA
Center frequency	62.5 GHz
Bandwidth	3 GHz
Time resolution	0.333 ns
Distance resolution	19.1 cm
# of frequency points	801
Frequency step	3.75MHz
Times of average	128 times

- Calibration performed with 1m reference separation
- Time resolution and distance resolution were determined by bandwidth

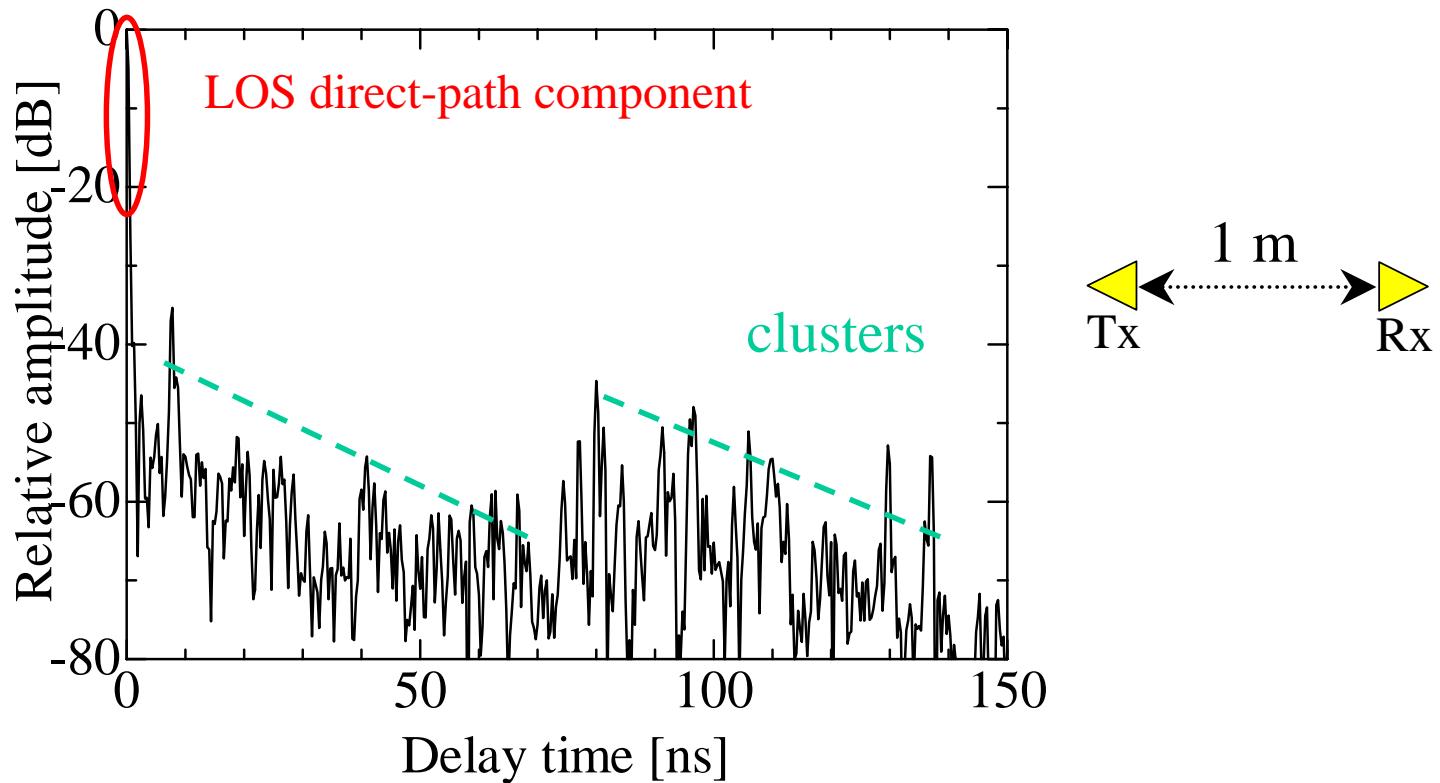
Measurement conditions (cont')

- **Antenna:** Conical horn antenna
- **Polarization:** Vertical
- **Beam-width:** Tx:30 and Rx 30

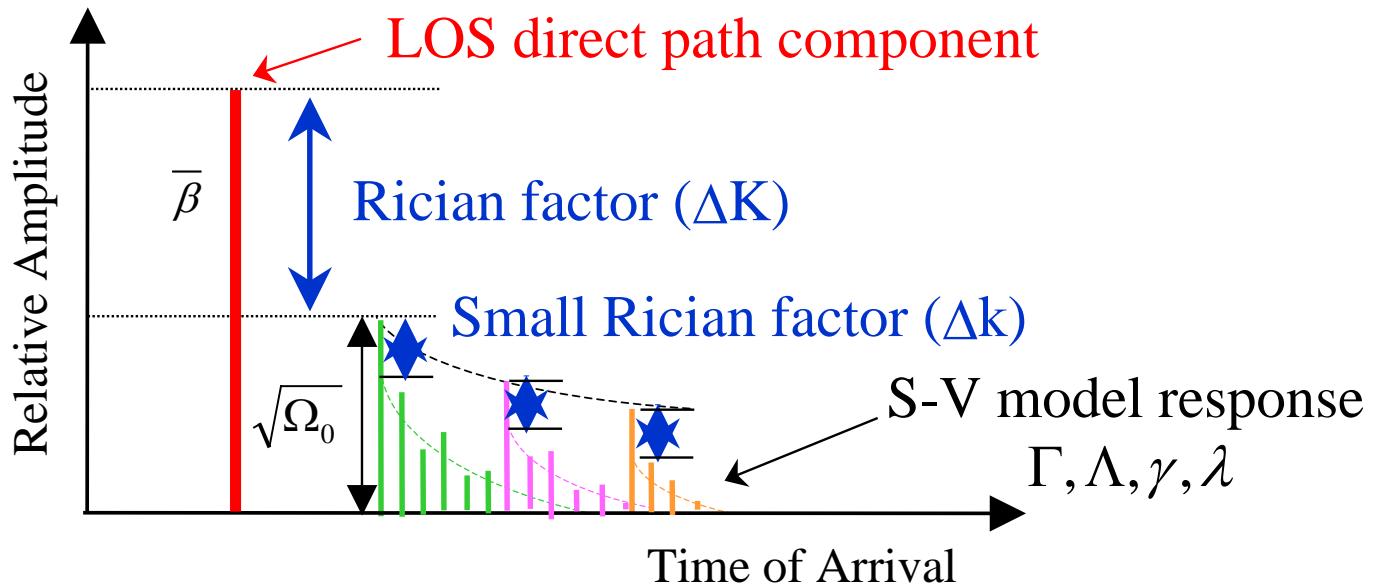


Conical horn antenna
Beam-width 30 deg

Example PDPs (Power delay profile) in measurement environment 1 (Beam width: Tx=30, Rx=30)



Impulse response



By setting $\Gamma_0=0$, TSV model can generate impulse response for LOS kiosk channel without any modification

TSV model for LOS kiosk environment

- For LOS desk top environment (06/297)

TSV model = Two-path component + S-V component

$$h(t) = \beta \delta(t) + \sum_{l=0}^{L-1} \sum_{m=0}^{M_l-1} \alpha_{l,m} \delta(t - T_l - \tau_{l,m}) \delta(\varphi - \Psi_l - \psi_{l,m})$$

$$\beta = \left(\frac{\mu_D}{D} \right)^2 \sqrt{G_{t1}G_{r1}} + \sqrt{G_{t2}G_{r2}} \Gamma_0 \exp \left[j \frac{2\pi}{\lambda_f} \frac{2h_1h_2}{D} \right]$$

Statistical factors in both two-path and S-V

- For LOS kiosk environment

Reflection coefficient: $\Gamma_0 = 0$

Modified TSV model = Direct-path component + S-V component

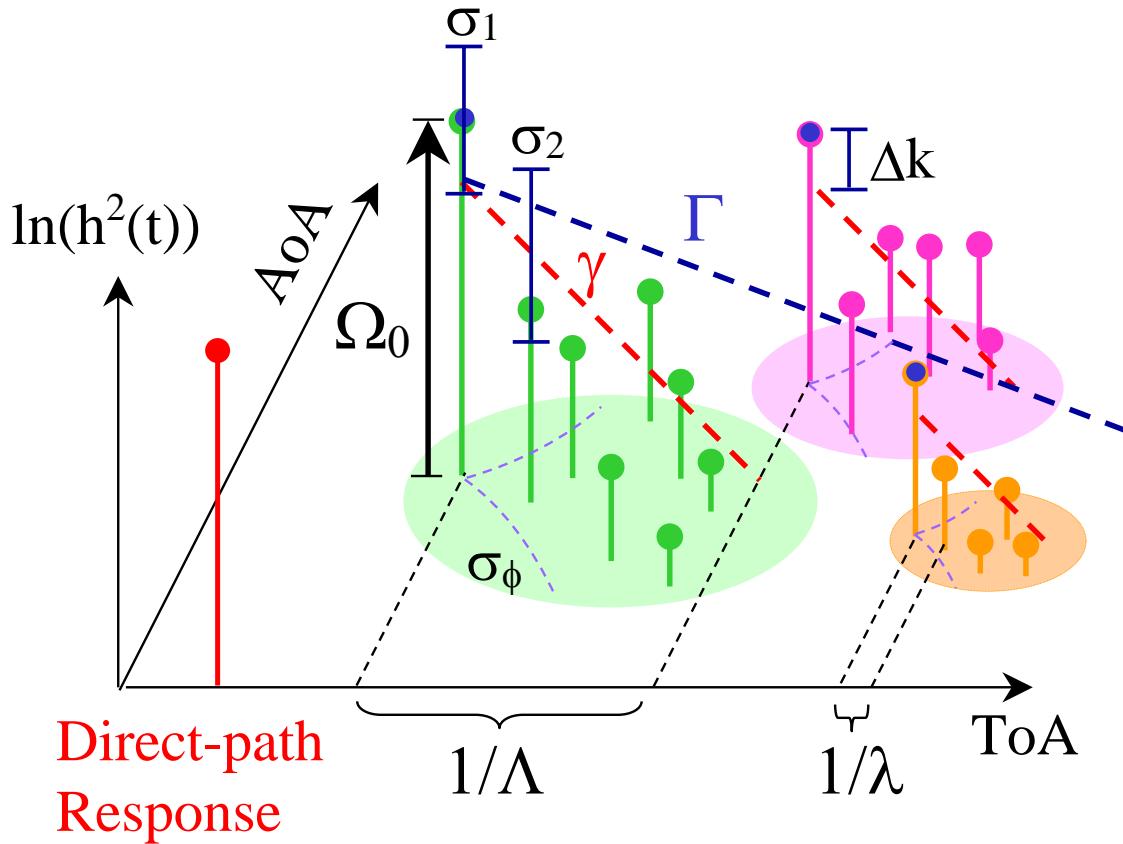
$$h(t) = \beta \delta(t) + \sum_{l=0}^{L-1} \sum_{m=0}^{M_l-1} \alpha_{l,m} \delta(t - T_l - \tau_{l,m}) \delta(\varphi - \Psi_l - \psi_{l,m})$$

$$\beta|_{\mu_D \ll D} = \sqrt{G_{t1}G_{r1}}$$

Statistical factors in only S-V

Refer to Appendix A for each parameter

TSV model parameters to be extracted



- Γ : cluster decay factor
- $1/\Lambda$: cluster arrival rate
- γ : ray decay factor
- $1/\lambda$: ray arrival rate
- σ_1 : cluster lognormal standard deviation
- σ_2 : ray lognormal standard deviation
- σ_ϕ : Angle spread of ray within cluster
(Laplace distribution)
- Ω_0 : Average power of the first ray
of the first cluster

Small Rican factor Δk and Ω_0 are necessary for TSV model

Extracted TSV model parameters

Channel model		TSV Model	Small Rician effect	S-V model oriented parameter							Number of cluster
	Parameter	$\Omega_0(d)$ [dB]	k (Δk)	Γ [ns]	1/ Λ [ns]	γ [ns]	1/ λ [ns]	σ_1 cluster	σ_2 ray	σ_ϕ [deg]	N
LOS Kiosk measurement environment 1	Tx:30 Rx:30	-98.0 @1m	11.0 dB	30.2	18.3	36.5	1.09	2.23	6.88	34.2	5
LOS Kiosk measurement environment 2	Tx:30 Rx:30	-107.8 @1m	9.1dB	64.2	22.6	61.1	0.99	2.66	4.39	45.8	7
LOS office	Tx:30 Rx:30	-3.27D-85.4	21.9dB	49.8	24.6	45.2	1.03	6.60	12.8	102	6

Sigma 1 and 2 of kiosk environment are smaller than those of LOS office environment, respectively

Refer to Appendix B for each parameter

Conclusions

- Propagation characteristics of Kiosk environments were re-measured and TSV model parameters have been extracted
- A new channel model for LOS kiosk environment has been created
- The New LOS Kiosk channel model should replace the current UM5 channel model

Vote

- New LOS Kiosk channel model is replaced to UM5 channel model.

Yes:

No:

Abstain:

Move: Second:

Appendix A: Definition of TSV model

CIR: $h(t) = \beta \delta(t) + \sum_{l=0}^{L-1} \sum_{m=0}^{M_l-1} \alpha_{l,m} \delta(t - T_l - \tau_{l,m}) \delta(\varphi - \Psi_l - \psi_{l,m})$

(Complex impulse response)

$$\overline{|\alpha_{l,m}|^2} = \Omega_0 e^{-T_l/\Gamma} e^{-\tau_{l,m}/\gamma - k[1-\delta(m)]} \sqrt{G_r(0, \Psi_l + \psi_{l,m})}, \angle \alpha_{l,m} \sim \text{Uniform}[0, 2\pi)$$

Two-path response

$$\beta [\text{dB}] = 20 \cdot \log_{10} \left[\left(\frac{\mu_d}{d} \right) \sqrt{G_{i1} G_{r1}} + \sqrt{G_{i2} G_{r2}} \Gamma_0 \exp \left[j \frac{2\pi}{\lambda_f} \frac{2h_i h_2}{d} \right] \right] - PL_d(\mu_d)$$

$$PL_d(\mu_d) [\text{dB}] = PL_d(d_0) + 10 \cdot n_d \cdot \log_{10} \left(\frac{d}{d_0} \right) \quad PL_d(d_0) [\text{dB}] = 20 \log_{10} \left(\frac{4\pi d_0}{\lambda_f} \right) + A_{\text{NLOS}}$$

A_{NLOS} : Constant attenuation for NLOS

Path number of G_{ii} and G_{ri} (1: direct, 2: reflect)

Two-path parameters (4)

$d \sim \text{Uniform}$: Distance between Tx and Rx

$h_1 \sim \text{Uniform}$: Height of Tx

$h_2 \sim \text{Uniform}$: Height of Rx

$\mu_d \sim \text{Average of distance between Tx and Rx}$

$|\Gamma_0|$: Reflection coefficient

$|\Gamma_0| \approx 1$: LOS Desktop environment

(incident angle $\approx \pi/2$)

$|\Gamma_0| \approx 0$: Other LOS/NLOS environment

Arrival rate: Poisson process

$$p(T_l | T_{l-1}) = \Lambda \exp[-\Lambda(T_l - T_{l-1})], \quad l > 0$$

$$p(\tau_l | \tau_{l,(m-1)}) = \lambda \exp[-\lambda(\tau_l - \tau_{l,(m-1)})], \quad m > 0$$

PL_d : Path loss of the first impulse response

t : time[ns]

$\delta(\cdot)$: Delta function

l = cluster number,

m = ray number in l -th cluster,

L = total number of clusters;

M_l = total number of rays in the l -th cluster;

T_l = arrival time of the first ray of
the l -th cluster;

$\tau_{l,m}$ = delay of the m -th ray within the l -th cluster

relative to the first path arrival time, T_l ;

Ω_0 = Average power of the first ray of the first cluster

Ψ_l = Uniform[0,2π]; arrival angle of the first ray
within the l -th cluster

$\psi_{l,m}$ = arrival angle of the m -th ray within the l -th
cluster relative to the first path arrival angle, Ψ_l

S-V parameters (7)

Γ : cluster decay factor

$1/\Lambda$: cluster arrival rate

γ : ray decay factor

$1/\lambda$: ray arrival rate

σ_1 : cluster lognormal standard deviation

σ_2 : ray lognormal standard deviation

σ_ϕ : Angle spread of ray within cluster

(Laplace distribution)

Antenna parameters (2)

$G_t(\theta, \phi)$: Antenna gain of Tx

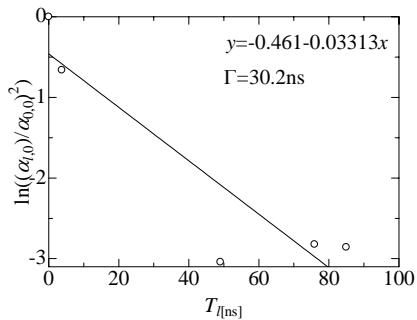
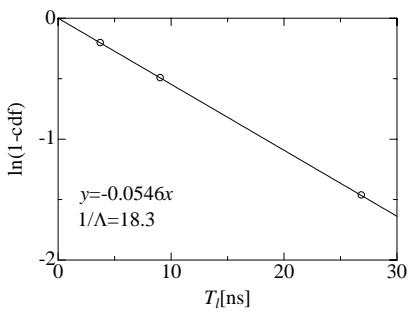
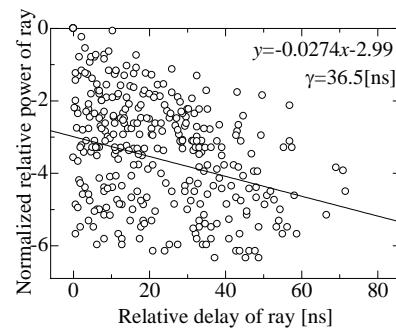
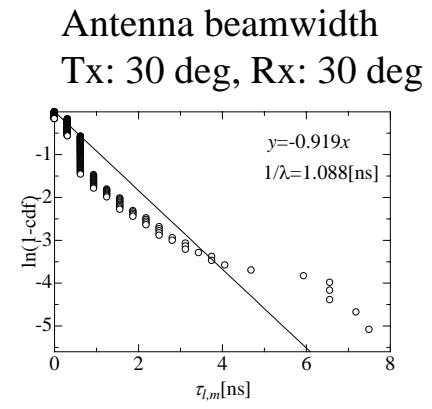
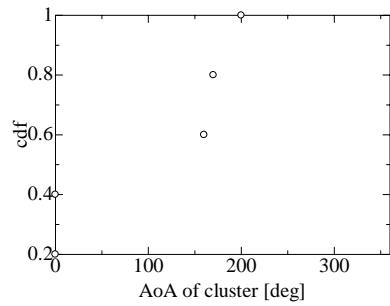
$G_r(\theta, \phi)$: Antenna gain of Rx

Rician factor (2)

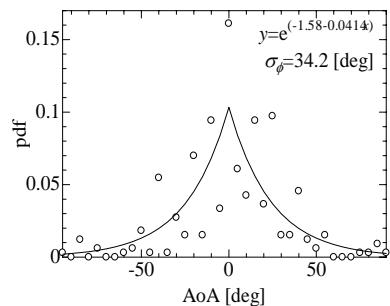
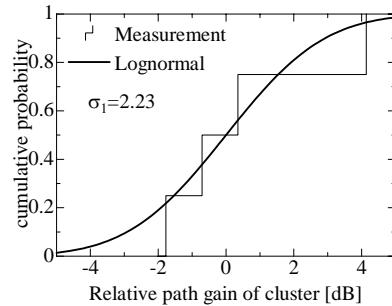
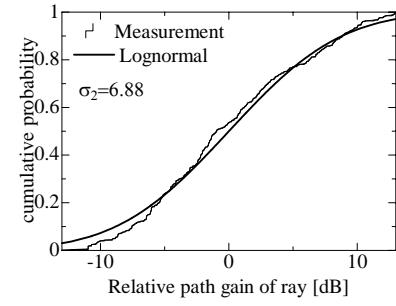
k : ray Rician effect in each cluster

$$K = \frac{\beta^2}{\sum_{l=0}^{L-1} \sum_{m=0}^{M_l-1} |\alpha_{l,m}^2| \delta(t - T_l - \tau_{l,m}) \delta(\varphi - \Psi_l - \psi_{l,m}) G_r(0, \Psi_l + \psi_{l,m})}$$

Appendix B: Results of data analysis

Cluster decay factor (Γ)Cluster arrival rate ($1/\Lambda$)Ray decay factor (γ)Ray arrival rate ($1/\lambda$)

Angle of arrival in cluster (Uniform)

Angle spread of ray (σ_ϕ)Standard deviation of cluster (σ_1)Standard deviation of ray (σ_2)