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**Re:** []

**Abstract:** [This contribution describes LOS office channel model based on TSV model.]

**Purpose:** [Contribution to mmW TG3c meeting.]

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# LOS office channel model based on TSV model

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## Agenda

- Background
- Measurement procedure and results
- Extracted TSV model parameters

## Background & Purpose

- Not available LOS office channel model in TG3c
- Measurement and analysis for LOS office channel are performed

## Measurement conditions

|                       |             |
|-----------------------|-------------|
| Instrument            | HP8510C VNA |
| Center frequency      | 62.5 GHz    |
| Bandwidth             | 3 GHz       |
| Time resolution       | 0.333 ns    |
| Distance resolution   | 19.1 cm     |
| # of frequency points | 801         |
| Frequency step        | 3.75MHz     |
| Times of average      | 128 times   |

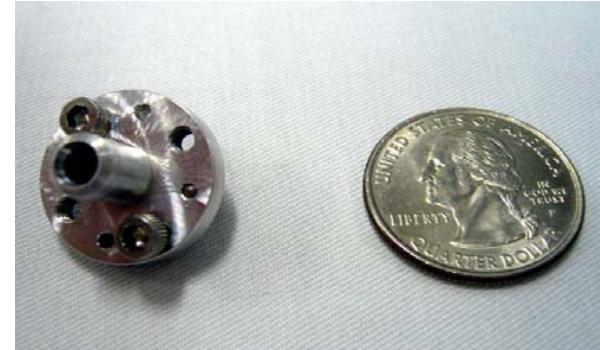
Time resolution and distance resolution were determined by bandwidth

## Measurement conditions (cont')

- **Antenna:** Conical horn antenna
- **Polarization:** Vertical
- **Beam-width:** Tx:30 and Rx 30, Tx:60 and Rx60

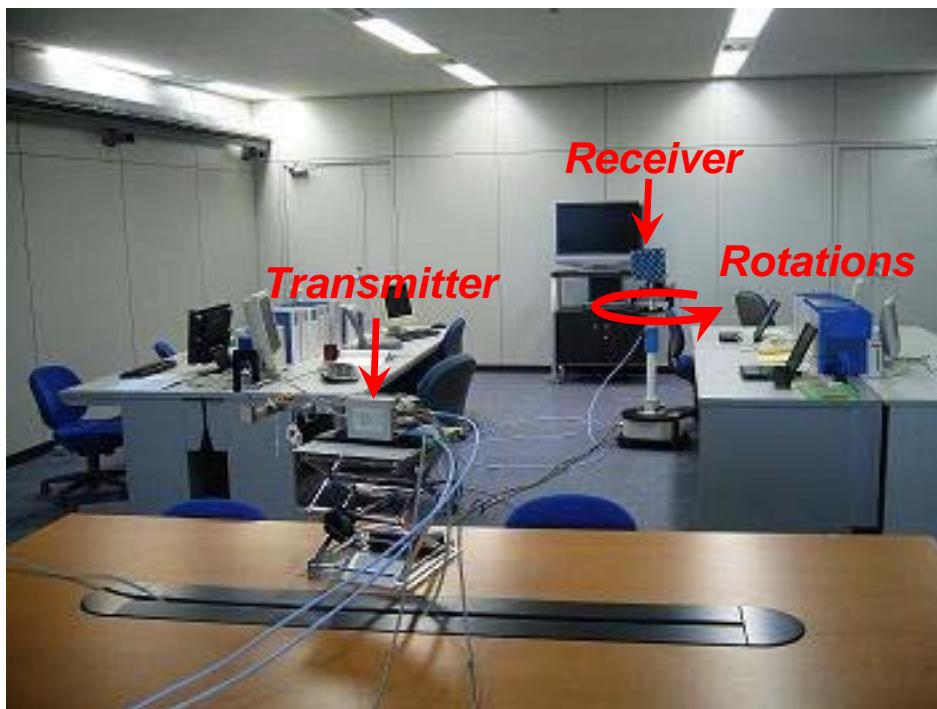


Conical horn antenna  
Beam-width 30 deg



Conical horn antenna  
Beam-width 60 deg

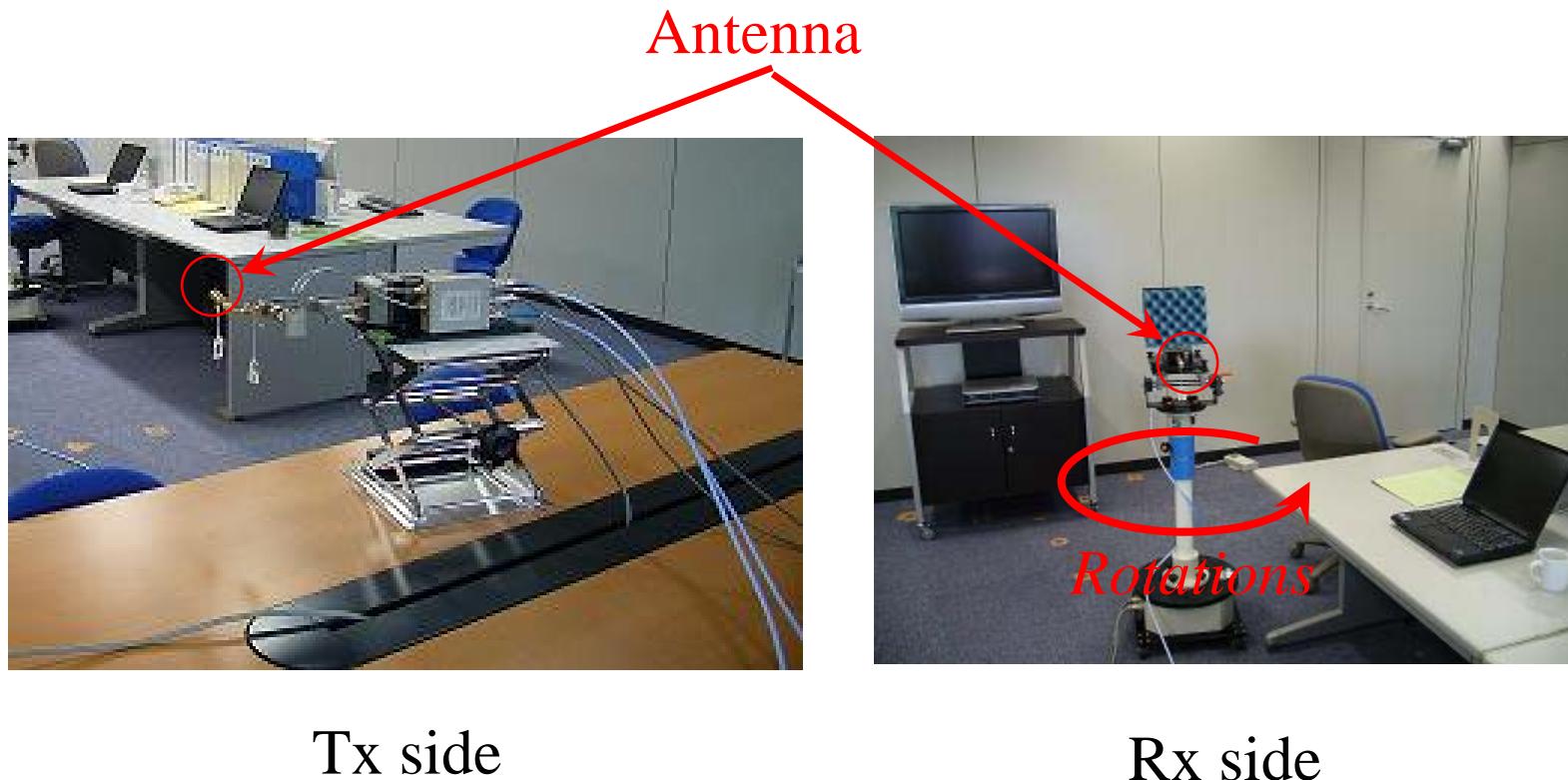
## Measurement environment



- Office room: 7.0 m × 11.9 m
- Ceiling height: 2.7 m
- Surrounding: Metallic wall, glass window
- Floor: Concrete plates covered with carpet
- Furniture: Metal desk, chair, computer, LCD TV, books

Receiver was rotated from 0 to 360 with 5 degree step

## Measurement environment(cont')



- Receiver was not put on the desk due to large rotator size
- Calibration was done at 1 m distance

## TSV model for LOS office environment

- For LOS desktop environment (06/297)

TSV model = Statistical two-path component + S-V components

$$h(t) = \beta \delta(t) + \sum_{l=0}^{L-1} \sum_{m=0}^{M_l-1} \alpha_{l,m} \delta(t - T_l - \tau_{l,m}) \delta(\varphi - \Psi_l - \psi_{l,m})$$

$$\beta = \sqrt{PL} \left( \frac{\mu_D}{D} \right)^2 \left| \sqrt{G_{t1}G_{r1}} + \sqrt{G_{t2}G_{r2}} \Gamma_0 \exp \left[ j \frac{2\pi}{\lambda_f} \frac{2h_1h_2}{D} \right] \right|$$

Statistical factors in both two-path and S-V

*PL*: Path loss

- For LOS office environment

Reflection coefficient:  $\Gamma_0 \doteq 0$

Modified TSV model = Direct-path component + S-V components

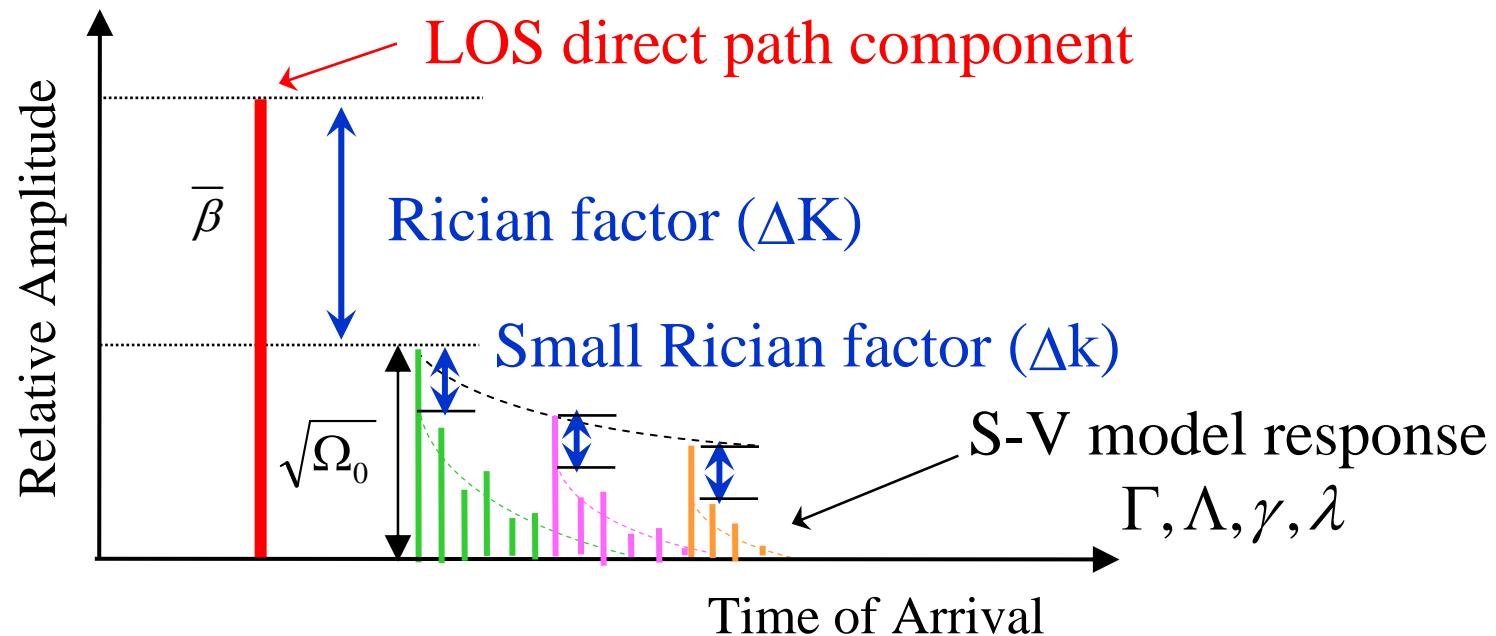
$$h(t) = \beta \delta(t) + \sum_{l=0}^{L-1} \sum_{m=0}^{M_l-1} \alpha_{l,m} \delta(t - T_l - \tau_{l,m}) \delta(\varphi - \Psi_l - \psi_{l,m})$$

$$\beta|_{\mu_D \ll D} = \sqrt{PL G_{t1}G_{r1}}$$

Statistical factors in only S-V

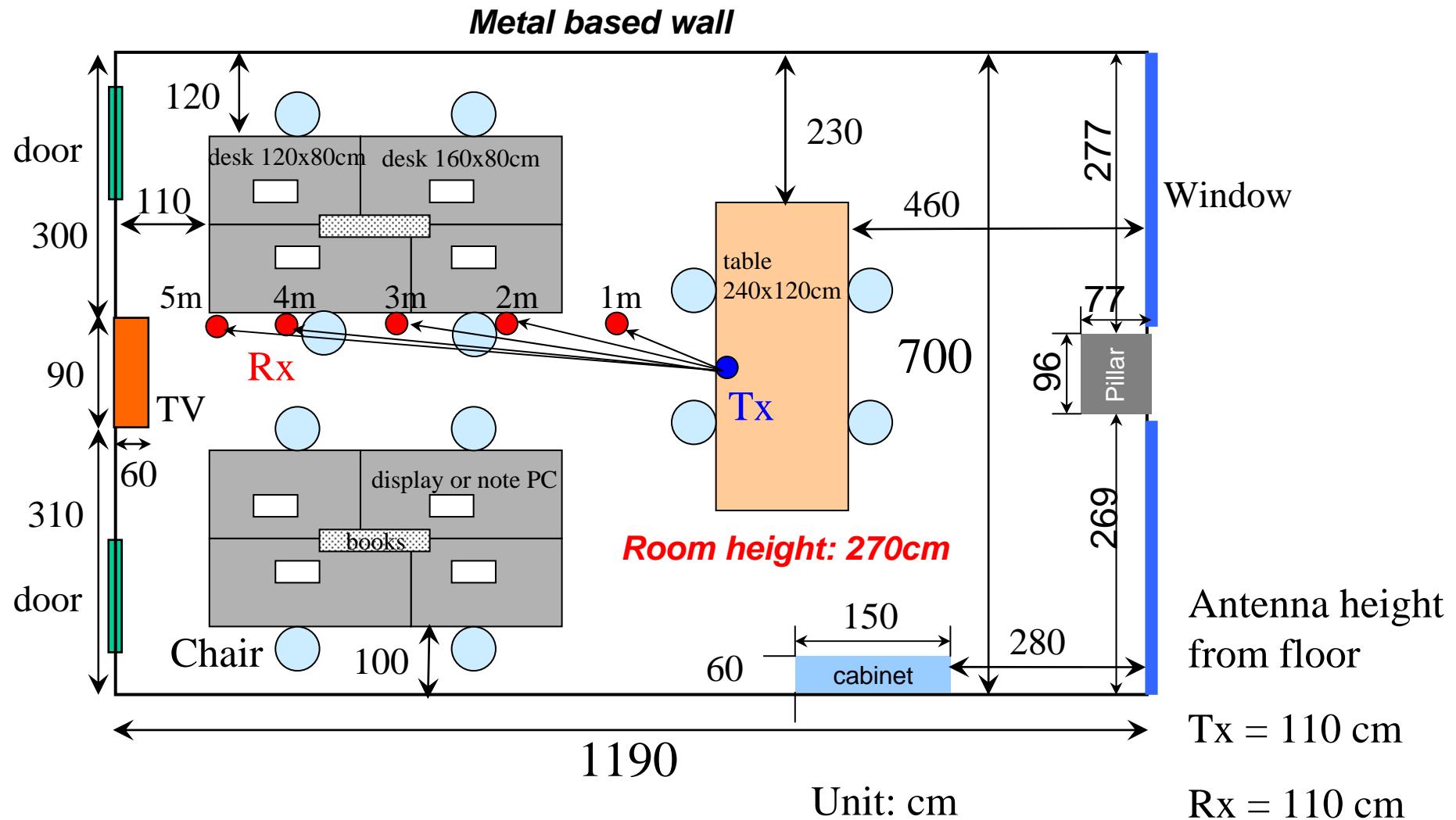
*Refer to Appendix A for each parameter*

## Impulse response

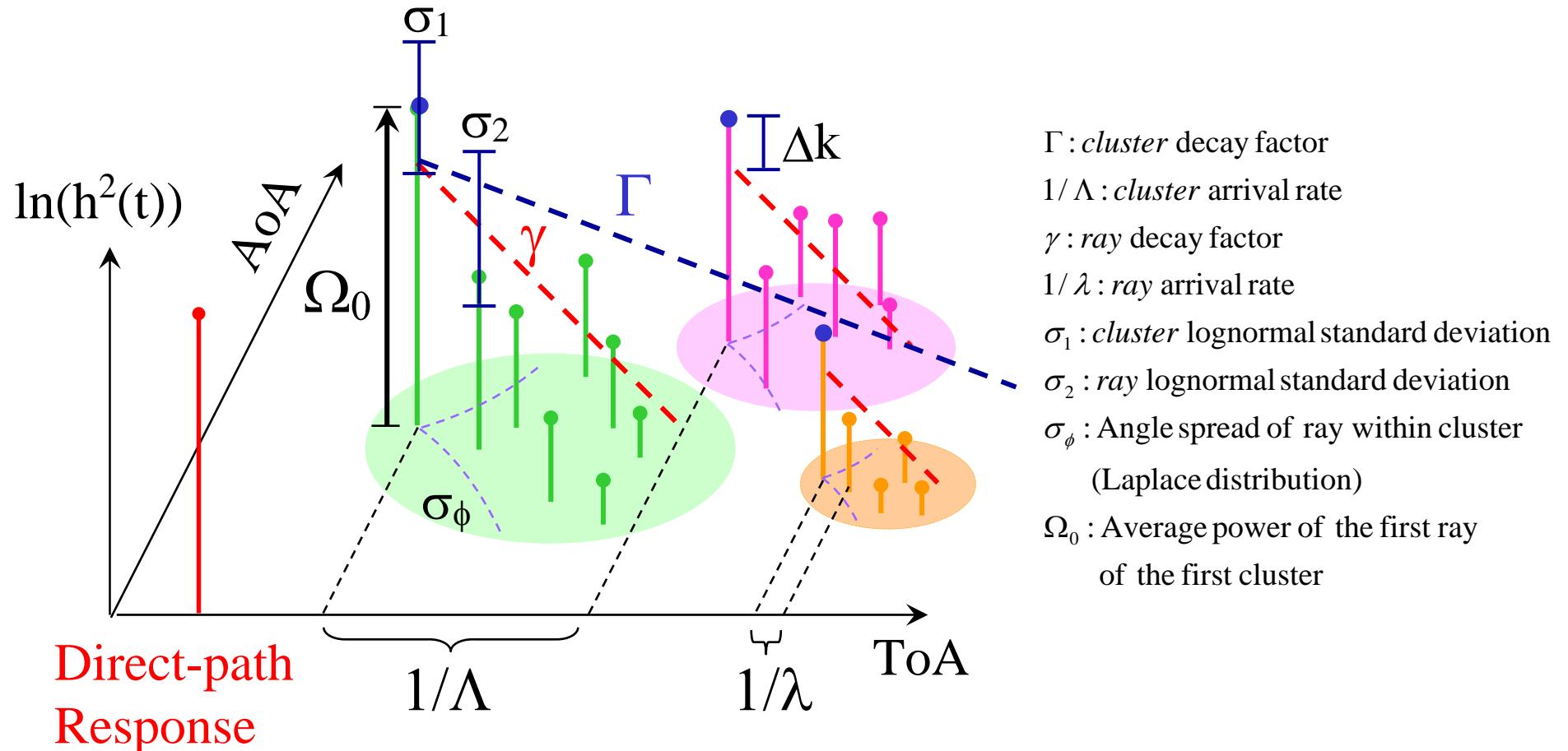


By setting  $\Gamma_0=0$ , TSV model can generate impulse response for LOS office channel without any modification

# AoA measurement environment



## TSV model parameters to be extracted



Small Rican factor  $\Delta k$  and  $\Omega_0$  are necessary for TSV model

## Extracted TSV model parameters

|           | TSV Model             | Small Rician effect | S-V model oriented parameter |                      |                  |                      |                       |                   |                        | Number of cluster |
|-----------|-----------------------|---------------------|------------------------------|----------------------|------------------|----------------------|-----------------------|-------------------|------------------------|-------------------|
| Parameter | $\Omega_0(D)$<br>[dB] | k<br>( $\Delta k$ ) | $\Gamma$<br>[ns]             | 1/ $\Lambda$<br>[ns] | $\gamma$<br>[ns] | 1/ $\lambda$<br>[ns] | $\sigma_1$<br>cluster | $\sigma_2$<br>ray | $\sigma_\phi$<br>[deg] | N                 |
| Tx:30     | -3.27 D               | 5.04                | 49.8                         | 24.6                 | 45.2             | 1.03                 | 6.60                  | 11.3              | 102                    | 6                 |
| Rx:30     | -85.8                 | (21.9 dB)           |                              |                      |                  |                      |                       |                   |                        |                   |
| Tx:60     | -0.303 D              | 2.63                | 38.8                         | 37.6                 | 64.9             | 3.41                 | 8.04                  | 7.95              | 66.4                   | 5                 |
| Rx:60     | -90.3                 | (11.4 dB)           |                              |                      |                  |                      |                       |                   |                        |                   |

Channel model for LOS office environment is now available

*Refer to Appendix B and C for each parameter*

## Path loss model for LOS office environment

$$\text{Path loss [dB]} = PL_0 + 10n \log_{10}(\mu_D / D_0)$$

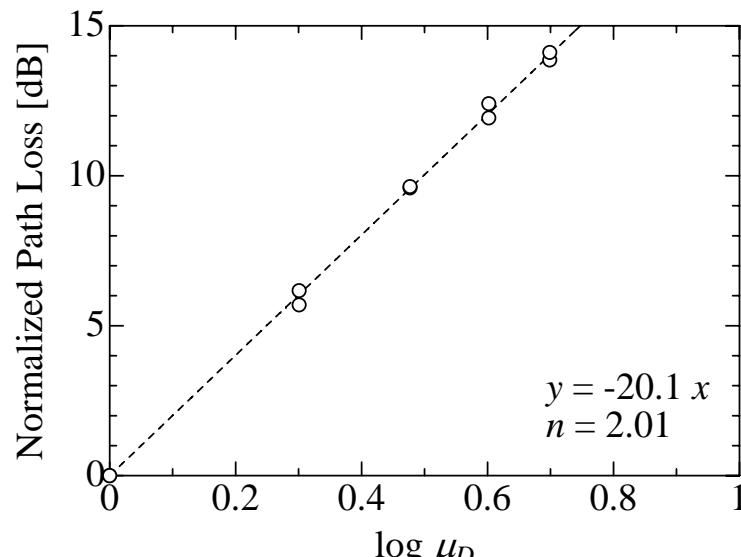


Fig. Path Loss result

- Path loss at  $D_0=1\text{m}$  distance

$$PL_0[\text{dB}] = 20 \log_{10} \left( \frac{4\pi D_0}{\lambda} \right) \approx 68.4$$

$$\lambda \approx 4.8\text{mm } (f = 62.5\text{GHz})$$

- Path loss exponent

$$n = 2.01$$

- Path loss of LOS component follows free space loss

## Summary

- Channel model for LOS office environment is available
- Path loss model for LOS office environment was confirmed

## Appendix A: Definition of TSV model (modified)

**CIR:** 
$$h(t) = \beta \delta(t) + \sum_{l=0}^{L-1} \sum_{m=0}^{M_l-1} \alpha_{l,m} \delta(t - T_l - \tau_{l,m}) \delta(\varphi - \Psi_l - \psi_{l,m})$$
  
 (Complex impulse response)

$$\overline{|\alpha_{l,m}|^2} = \Omega_0 e^{-T_l/\Gamma} e^{-\tau_{l,m}/\gamma - k[1-\delta(m)]} \sqrt{G_r(0, \Psi_l + \psi_{l,m})}, \angle \alpha_{l,m} \sim \text{Uniform}[0, 2\pi]$$

$PL$ : Path loss of the first impulse response  
 $t$ : time[ns]  
 $\delta(\cdot)$ : Delta function  
 $l$  = cluster number,  
 $m$  = ray number in  $l$ -th cluster,  
 $L$  = total number of clusters;  
 $M_l$  = total number of rays in the  $l$ -th cluster;  
 $T_l$  = arrival time of the first ray of the  $l$ -th cluster;  
 $\tau_{l,m}$  = delay of the  $m$ -th ray within the  $l$ -th cluster relative to the first path arrival time,  $T_l$ ;  
 $\Omega_0$  = Average power of the first ray of the first cluster  
 $\Psi_l \sim \text{Uniform}[0, 2\pi]$ ; arrival angle of the first ray within the  $l$ -th cluster  
 $\psi_{l,m}$  = arrival angle of the  $m$ -th ray within the  $l$ -th cluster relative to the first path arrival angle,  $\Psi_l$

### Two-path response

$$\beta = \sqrt{PL} \left( \frac{\mu_D}{D} \right)^2 \left| \sqrt{G_{t1} G_{r1}} + \sqrt{G_{t2} G_{r2}} \Gamma_0 \exp \left[ j \frac{2\pi}{\lambda_f} \frac{2h_1 h_2}{D} \right] \right|$$

Path number of  $G_{ti}$  and  $G_{ri}$  (1 : direct, 2 : reflect)

### Arrival rate: Poisson process

$$p(T_l | T_{l-1}) = \Lambda \exp[-\Lambda(T_l - T_{l-1})], \quad l > 0$$

$$p(\tau_l | \tau_{l,(m-1)}) = \lambda \exp[-\lambda(\tau_l - \tau_{l,(m-1)})], \quad m > 0$$

### Two-path parameters (4)

$D \sim \text{Uniform}$  : Distance between Tx and Rx

$h_1 \sim \text{Uniform}$  : Height of Tx

$h_2 \sim \text{Uniform}$  : Height of Rx

$\mu_D \sim \text{Average of distance between Tx and Rx}$

$|\Gamma_0|$  : Reflection coefficient

$|\Gamma_0| \approx 1$  : LOS Desktop environment  
 (incident angle  $\approx \pi/2$ )

$|\Gamma_0| \approx 0$  : Other LOS environment

### S-V parameters (7)

$\Gamma$  : cluster decay factor

$1/\Lambda$  : cluster arrival rate

$\gamma$  : ray decay factor

$1/\lambda$  : ray arrival rate

$\sigma_1$  : cluster lognormal standard deviation

$\sigma_2$  : ray lognormal standard deviation

$\sigma_\phi$  : Angle spread of ray within cluster  
 (Laplace distribution)

### Antenna parameters (2)

$Gt(\theta, \phi)$  : Antenna gain of Tx

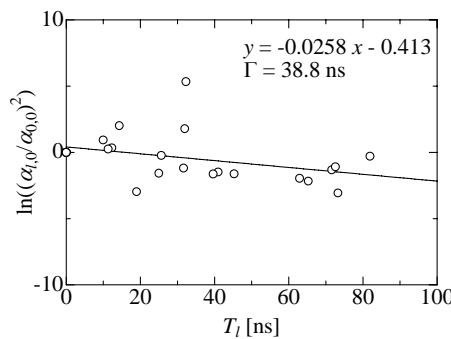
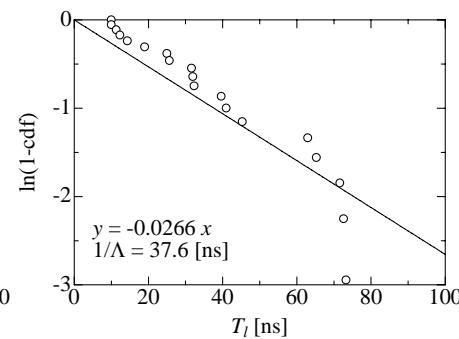
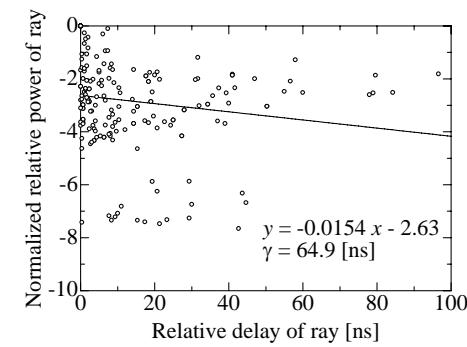
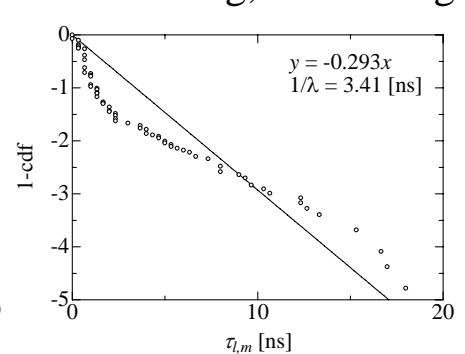
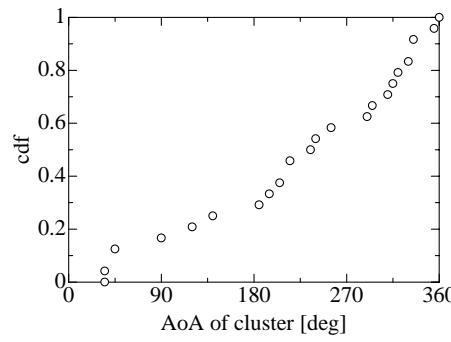
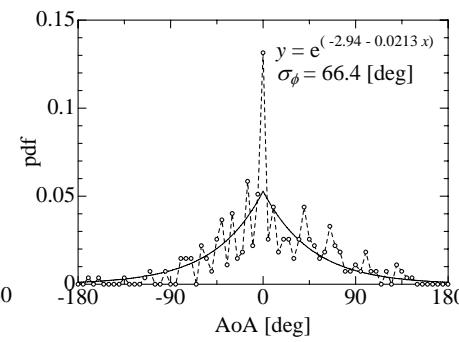
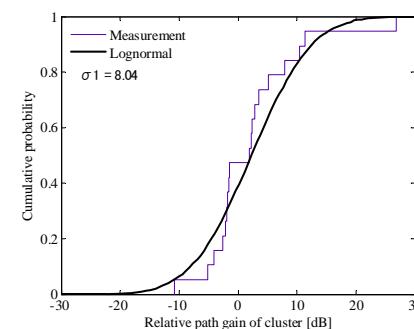
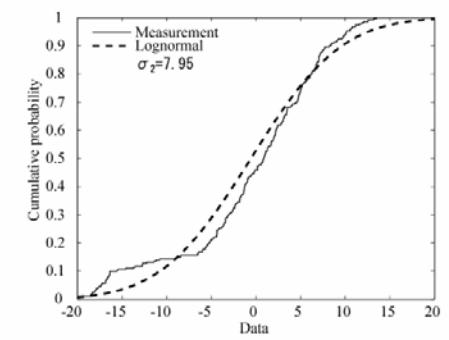
$Gr(\theta, \phi)$  : Antenna gain of Rx

### Rician factor (2)

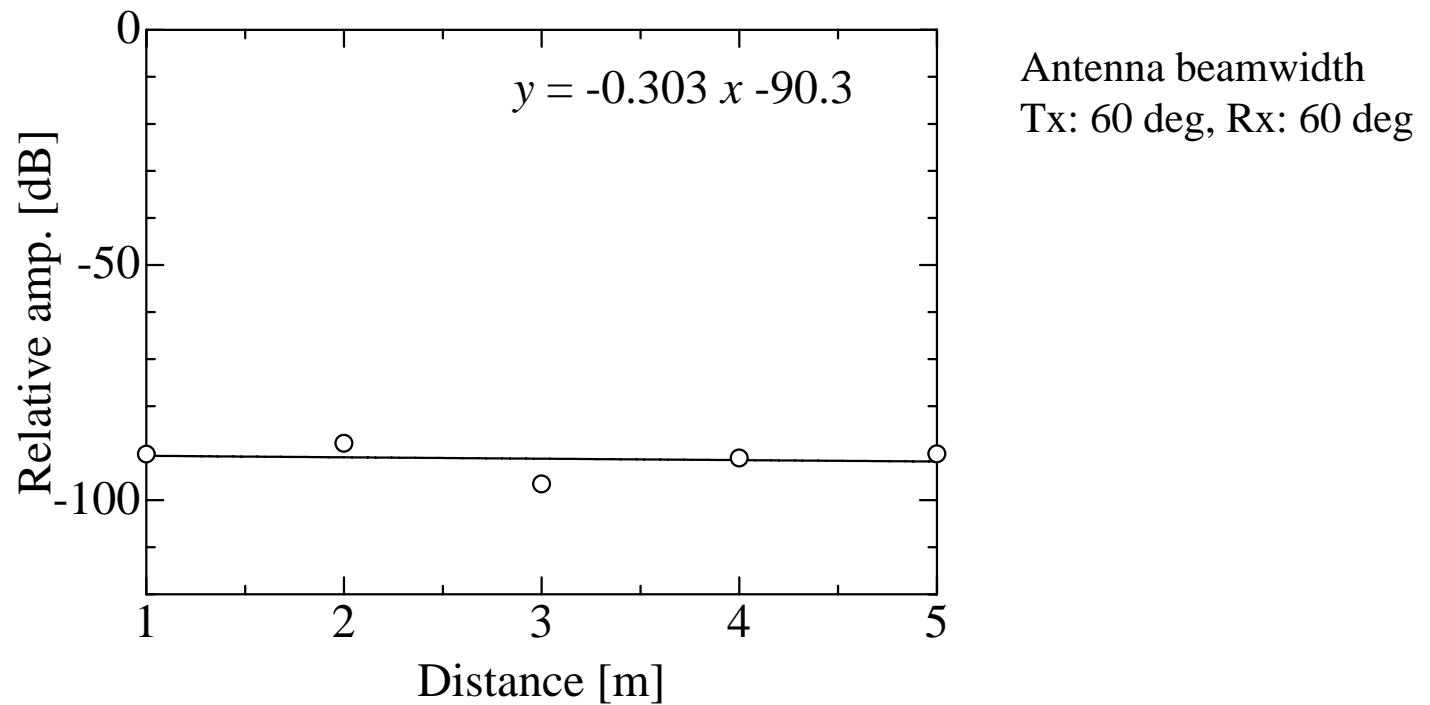
$k$  : Small Rician effect in each cluster

$$K = \frac{\beta^2}{\sum_{l=0}^{L-1} \sum_{m=0}^{M_l-1} |\alpha_{l,m}|^2 \delta(t - T_l - \tau_{l,m}) \delta(\varphi - \Psi_l - \psi_{l,m}) G_r(0, \Psi_l + \psi_{l,m})}$$

## Appendix B: Results of data analysis

Cluster decay factor ( $\Gamma$ )Cluster arrival rate ( $1/\Lambda$ )Ray decay factor ( $\gamma$ )Ray arrival rate ( $1/\lambda$ )Angle of arrival in cluster ( $\propto$  Uniform)Angle spread of ray ( $\sigma_\phi$ )Standard deviation of cluster ( $\sigma_1$ )Standard deviation of ray ( $\sigma_2$ )

## Appendix C: Averaged power of the first ray of S-V response



$$\Omega_0[\text{dB}] = -0.303 D - 90.3$$

- $\Omega_0$  slightly decreases according to distance