Data Mining In Design & Test - Principles and Practices

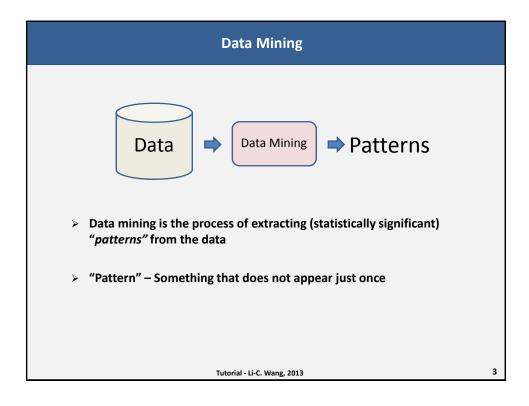
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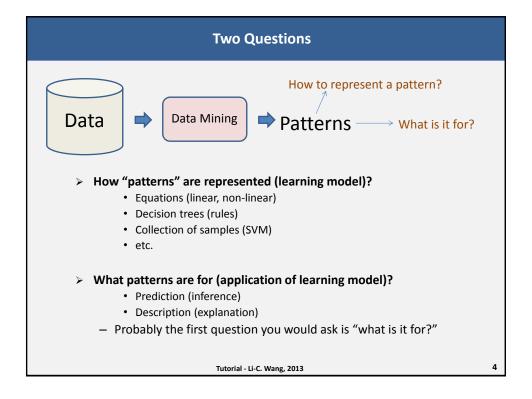
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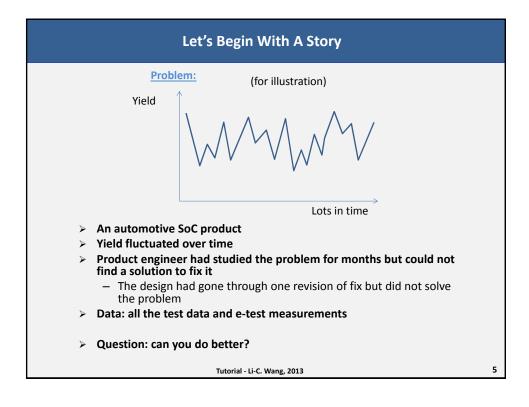
Preface (10 minutes)

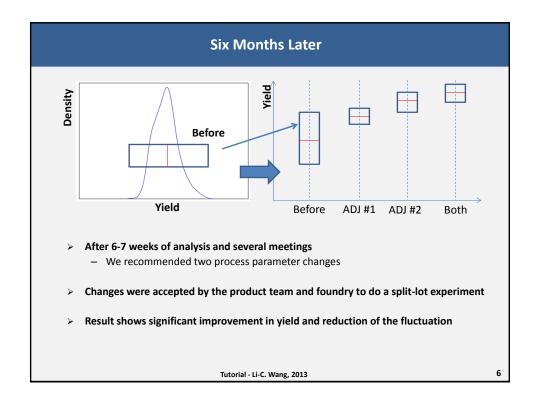
The "Data Mining" discussed in this tutorial Historical view of the works included What to be expected

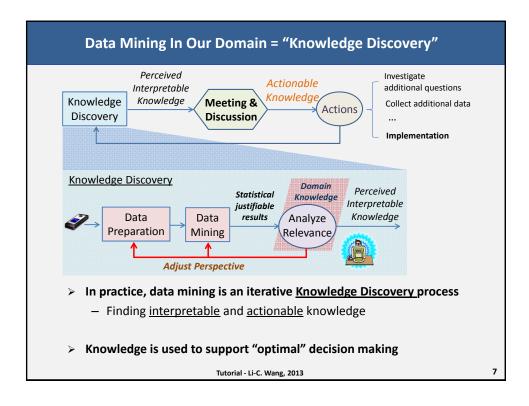
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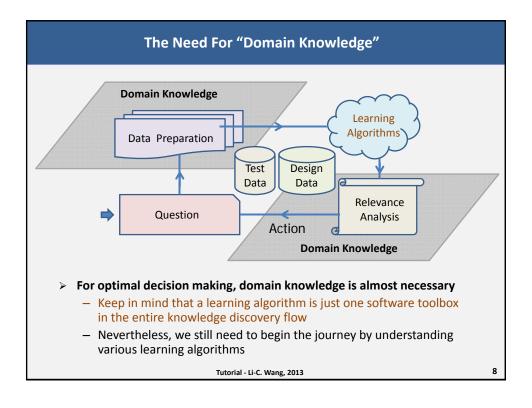


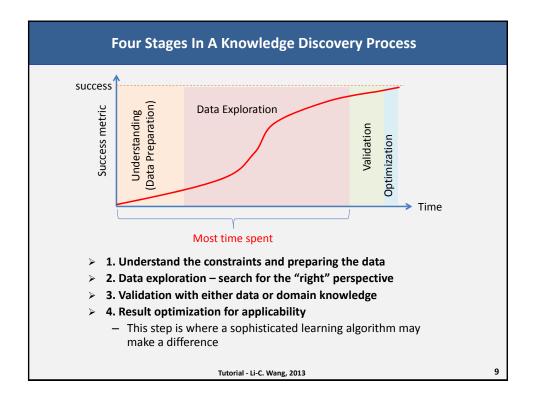




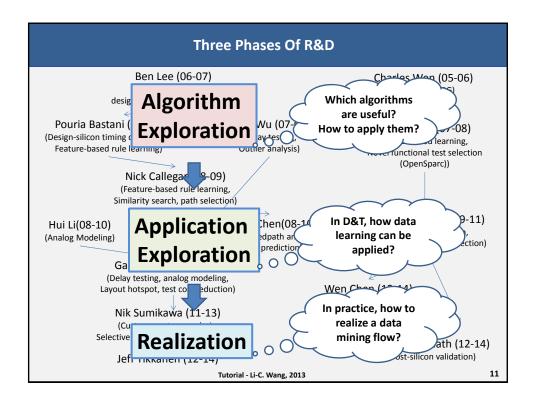








Disclaimer and Students > Disclaimer This tutorial is largely based on research works done by my students since 2006 - It is not intended to be a survey of the field PhD Students (2006 – current) - Ben Lee (Startup) - 2006 - Charles Wen (NCTU, Taiwan) Pouria Bastani (Intel) Onur Guzey (Intel -> MIT) Sean Wu (TPK, Taiwan) Nick Callegari (nVidia) Hui Lee (Intel) - Janine Chen (AMD) Po-Hsien Chang (Oracle) Gagi Drmanac (Intel) Nik Sumikawa (Freescale) - 2013 - Jeff Tikkanen (TBD) Wen Chen (TBD) Vinayak Kamath (TBD) Tutorial - Li-C. Wang, 2013 10



Plan For The Tutorial (6 hours = 360 minutes)

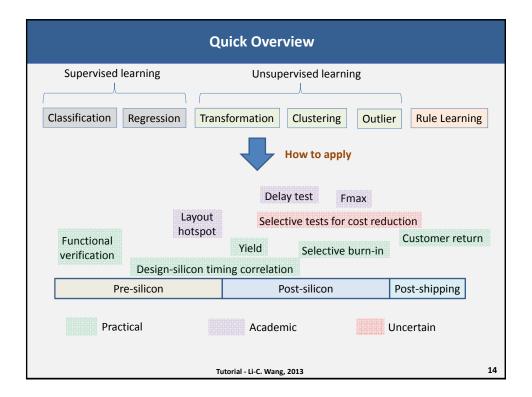
- > Opening (20 minutes)
- An introduction to data mining in design and test (120 minutes)
 - Basic learning concepts and intuitions to algorithms
 - Example problem formulations and application contexts
- Learning theory, SVM and Kernel Method (60 minutes)
- Application examples, working principals and findings (60 minutes)
- Knowledge discovery Application examples in Tests (60 minutes)
- Knowledge discovery Application examples in Verification (30 minutes)
- > Final Remark and Questions (10 minutes)

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Plan For The Short-Version Tutorial (2.5 hours = 150 minutes) > Opening (10 minutes) An introduction to data mining in design and test (120->60 minutes) - Basic learning concepts and intuitions to algorithms - Example problem formulations and application contexts Learning theory, SVM and Kernel Method (60->15 minutes) Application examples, working principals and findings (60->40 minutes) Knowledge discovery – Application examples in Tests (60->30 minutes) Knowledge discovery – Application examples in Verification (if have time) Final Remark and Questions (10->5 minutes)

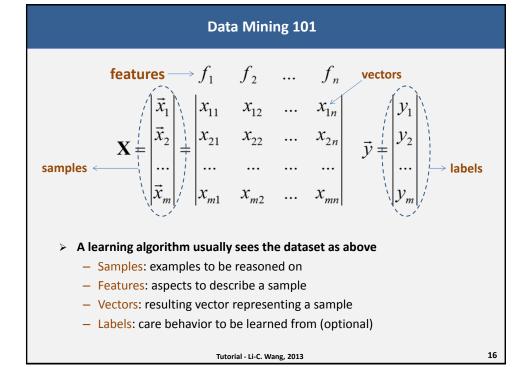
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An introduction to data mining and some applications in design & test

(120->60 minutes)

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- > Classification
- > Regression
- > Clustering
- > Transformation
- > Outlier Detection
- > Density Estimation
- > Rule Learning

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Data Mining Approaches

- > Classification
- **Regression**
- > Clustering
- > Transformation
- > Outlier Detection
- > Density Estimation
- > Rule Learning

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Data Mining 101 – Supervised Learning - Classification

(features)
$$f_1$$
 f_2 ... f_n

$$\mathbf{X} = \begin{vmatrix} \vec{x}_1 \\ \vec{x}_2 \\ ... \\ \vec{x}_m \end{vmatrix} = \begin{vmatrix} x_{11} & x_{12} & ... & x_{1n} \\ x_{21} & x_{22} & ... & x_{2n} \\ ... & ... & ... & ... \\ x_{m1} & x_{m2} & ... & x_{mn} \end{vmatrix} \quad \vec{y} = \begin{vmatrix} y_1 \\ y_2 \\ ... \\ y_m \end{vmatrix}$$

- > Classification
 - There are labels y's
 - Each y's represents a class
- > For example, in binary classification, y= -1 or y = +1

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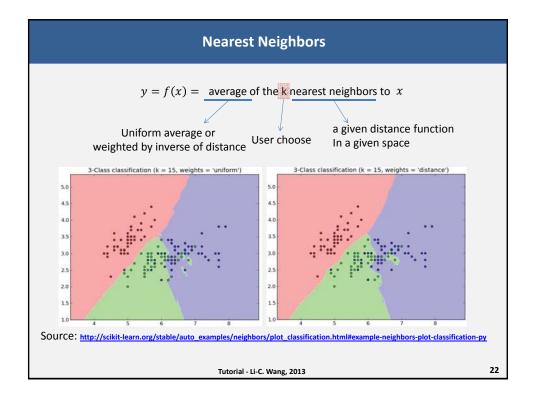
Class labels

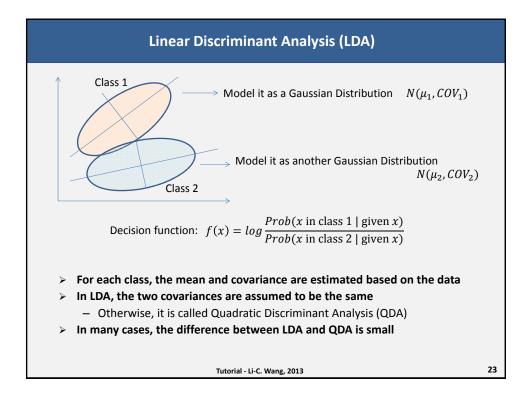
Example Learning Algorithms For Classification

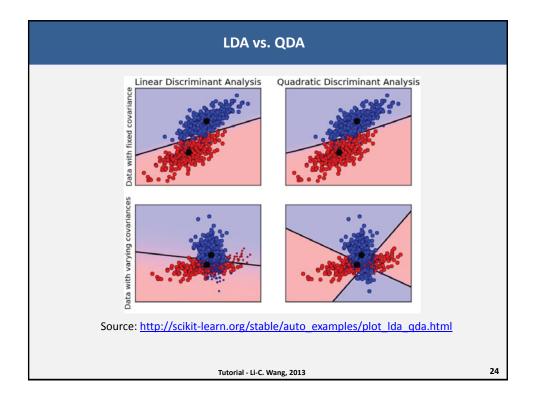
- > Nearest Neighbors
- > Linear Discriminant Analysis (LDA)
 - Quadratic Discriminant Analysis (QDA)
- > Naïve Bayes
- > Decision Tree
 - Random Forest
- > Support Vector Machine
 - Linear
 - Radius Based Function (RBF)

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Nearest Neighbors Linear Discriminant Analysis (LDA) Quadratic Discriminant Analysis (QDA) Naïve Bayes Decision Tree Random Forest Support Vector Machine (discussed later) Linear Radius Based Function (RBF)







Bayesian Inference - Naïve Bayes Classifier

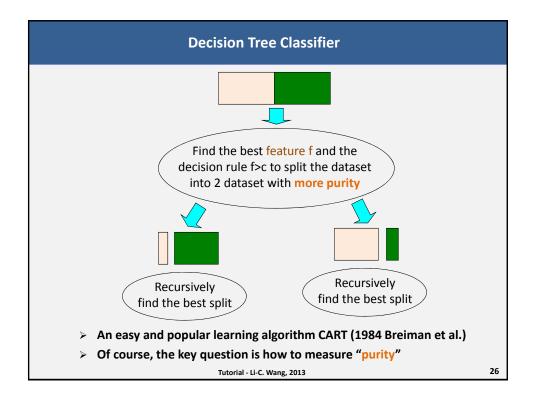
$$p(class \mid x_1,...,x_n) = \frac{p(class)p(x_1,...,x_n \mid class)}{p(x_1,...,x_n)} = \frac{prior \times likelihood}{evidence}$$

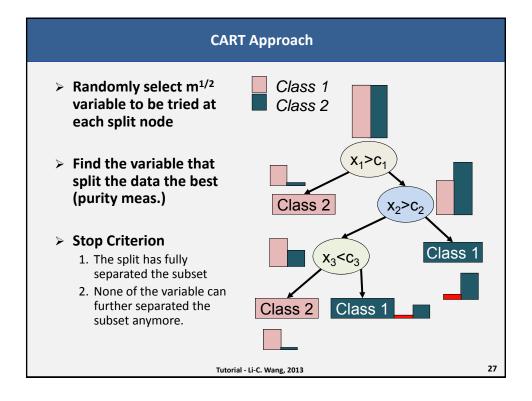
 $p(class \mid x_1,...,x_n) \propto p(class) p(x_1,...,x_n \mid class) \propto p(class) p(x_1 \mid class) \cdots p(x_n \mid class)$

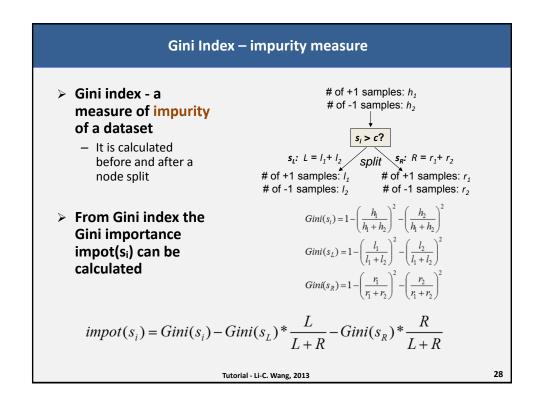
Independent assumptions

- > The naïve Bayes classifier uses the assumption that features are mutually independent
 - This is not usually not true as we have seen in the test data
- > Also, if each xi is a continuous variable, we either need to estimate the probability density, or we need to discretize the value into ranges

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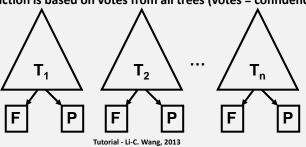




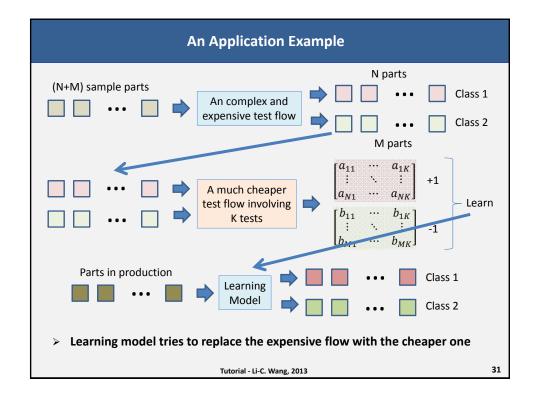


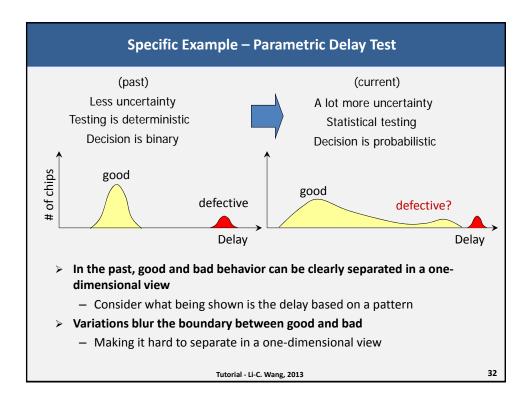
Random Forests

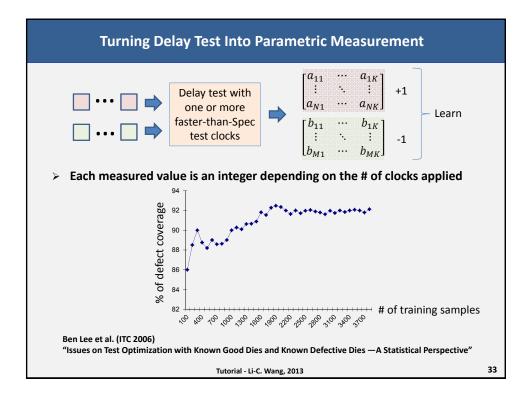
- > Ensemble learning: If you have n weak learners, together they can be strong each tree is a weak learner (over-fitting the data)
 - Build a collection of trees
- > Select a random set of (training) samples (2/3 subset)
- > Grow a tree based on only the selected samples (in-bag data)
- > Use the unselected samples (out-of-bag data) to validate the tree performance, i.e. prediction accuracy
- > Grow many trees until the average accuracy saturates
- > The prediction is based on votes from all trees (votes = confidence)

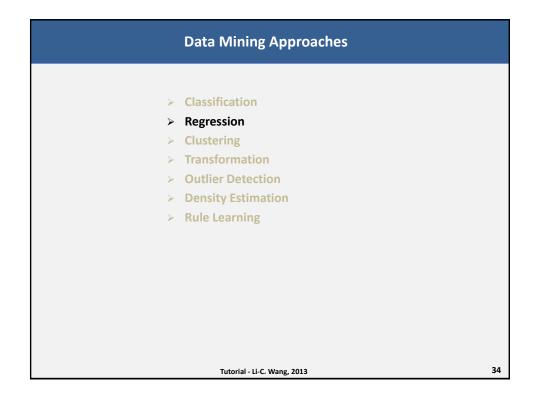


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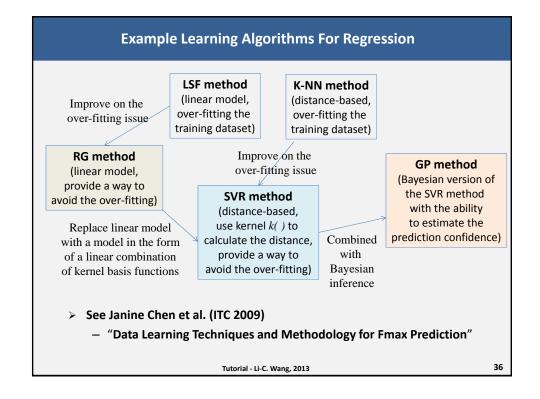








Data Mining 101 – Supervised Learning - Regression $X = \begin{vmatrix} \vec{x}_1 \\ \vec{x}_2 \\ ...\\ \vec{x}_m \end{vmatrix} = \begin{vmatrix} x_{11} & x_{12} & ... & x_{1n} \\ x_{21} & x_{22} & ... & x_{2n} \\ ... & ... & ... & ... \\ \vec{x}_m & x_{m1} & x_{m2} & ... & x_{mn} \end{vmatrix}$ Numerical output values > Regression - There are outputs y's - Each y's is a numerical output value of some sort > For example, y is a frequency



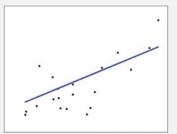
Least Square Fit

$$\mathbf{X} = \begin{vmatrix} \vec{x}_1 \\ \vec{x}_2 \\ \dots \\ \vec{x}_m \end{vmatrix} = \begin{vmatrix} x_{11} & x_{12} & \dots & x_{1n} \\ x_{21} & x_{22} & \dots & x_{2n} \\ \dots & \dots & \dots & \dots \\ x_{m1} & x_{m2} & \dots & x_{mn} \end{vmatrix} \quad \vec{y} = \begin{vmatrix} y_1 \\ y_2 \\ \dots \\ y_m \end{vmatrix}$$

Assume model:

$$f(x) = w_1 x_1 + w_2 x_2 + \dots + w_n x_n + b$$

$$\min \mathrm{SE} = \sum\nolimits_{i=1}^m (f(\overrightarrow{x_i}) - y_i)^2$$



> Assume a model

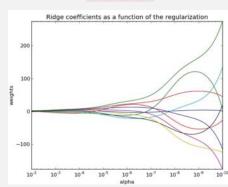
- Minimize the sum of squares to find values for the coefficients

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Ridge Regression

 $\min SE = \sum_{i=1}^m (f(\overrightarrow{x_i}) - y_i)^2 + \alpha \sum_{i=1}^m (w_i)^2 \longrightarrow \text{Regularization term}$

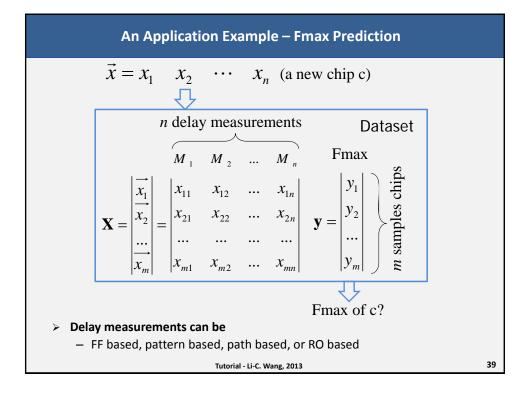


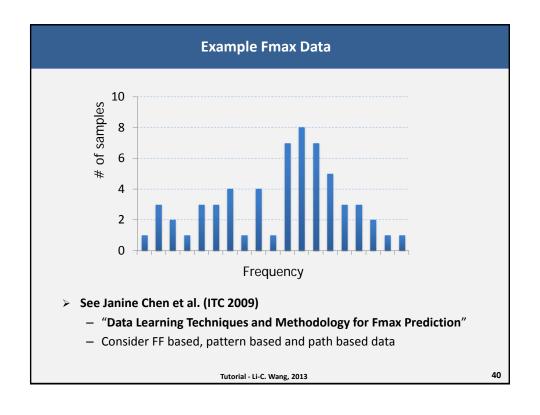
Source: http://scikit-learn.org/stable/modules/linear_model.html

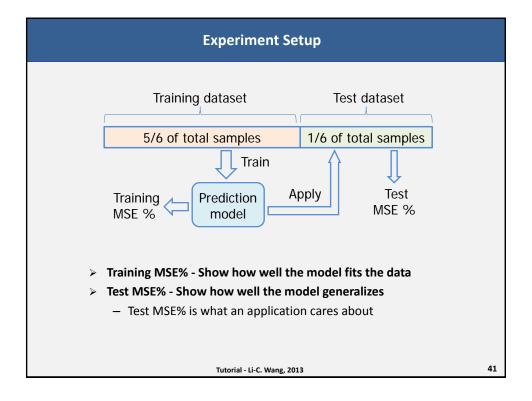
> Adding a regularization term makes the model more robust

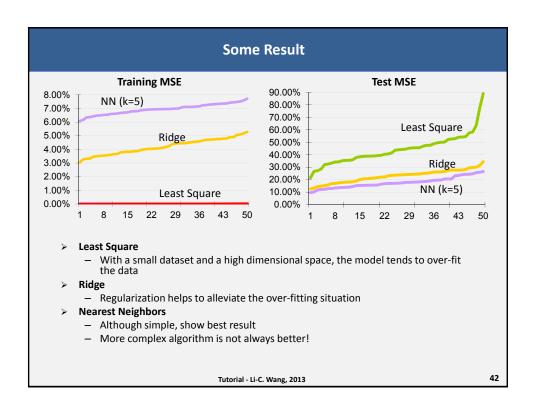
- Avoid over-fitting the data

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- Classification
- **Regression**
- > Clustering
- > Transformation
- > Outlier Detection
- > Density Estimation
- > Rule Learning

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Data Mining 101 – Unsupervised Learning

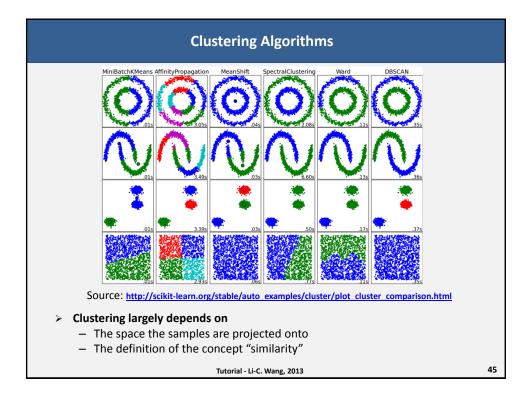
(features)
$$f_1$$
 f_2 ... f_n

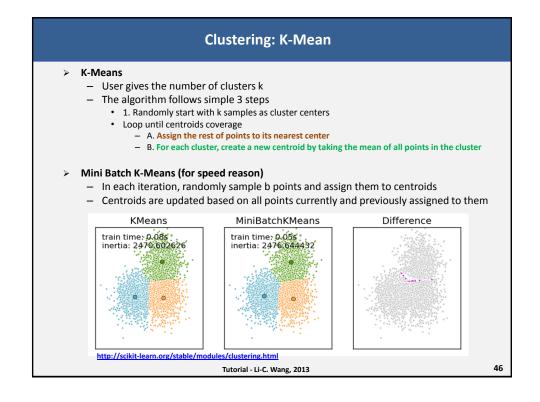
$$\mathbf{X} = \begin{vmatrix} \vec{x}_1 \\ \vec{x}_2 \\ ... \\ \vec{x}_m \end{vmatrix} = \begin{vmatrix} x_{11} & x_{12} & ... & x_{1n} \\ x_{21} & x_{22} & ... & x_{2n} \\ ... & ... & ... & ... \\ x_{m1} & x_{m2} & ... & x_{mn} \end{vmatrix} \quad \vec{y} = \begin{vmatrix} y_1 \\ y_2 \\ \vdots \\ y_m \end{vmatrix}$$
No y's

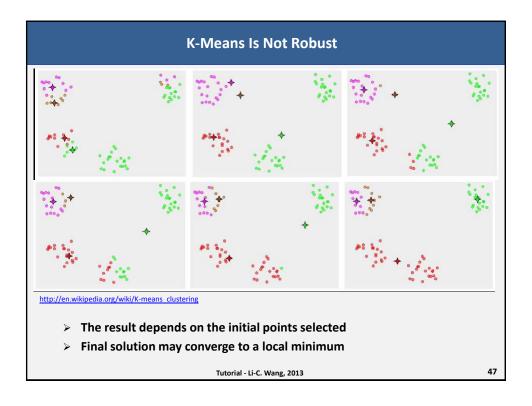
> Popular approaches

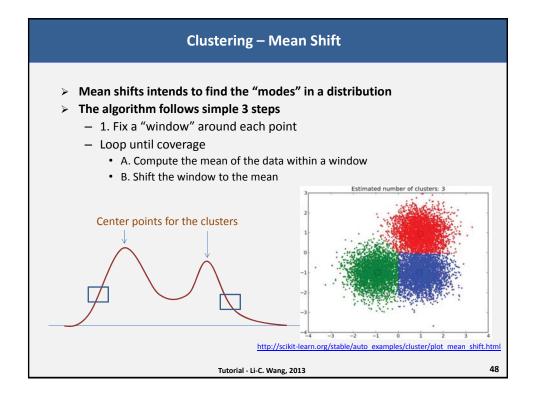
- Clustering
- Transformation (dimension reduction)
- Novelty Detection (Outlier analysis)
- Density Estimation

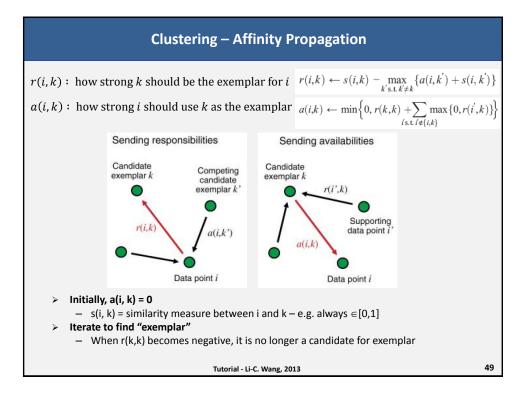
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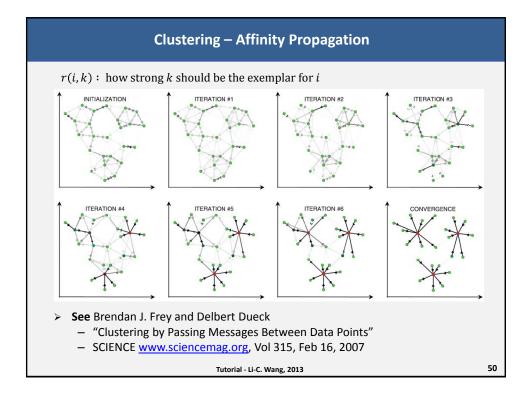












Clustering – Other Algorithms

> Spectral clustering

- Perform a low-dimensional data projection first
- Operate the K-Means in the reduced dimensional space

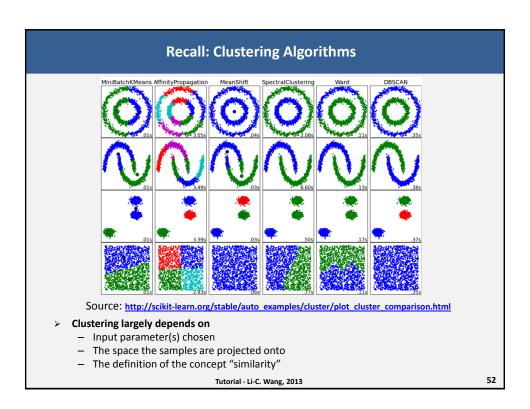
> Hierarchical clustering (Ward)

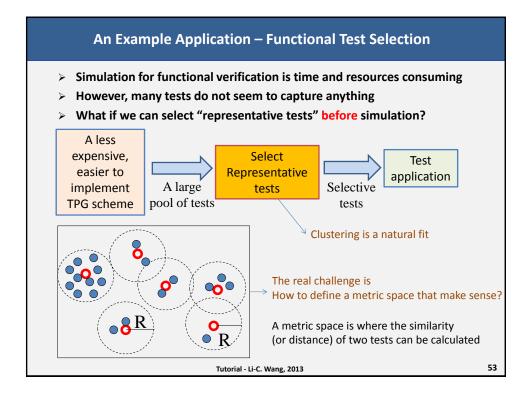
- Following a tree-like structure
 - · Leaves are individual samples
- Work bottom-up to the root of the tree
- Merge similar samples into the same parent when moving up
- Decide a level to output (# of nodes at the level = # of clusters)

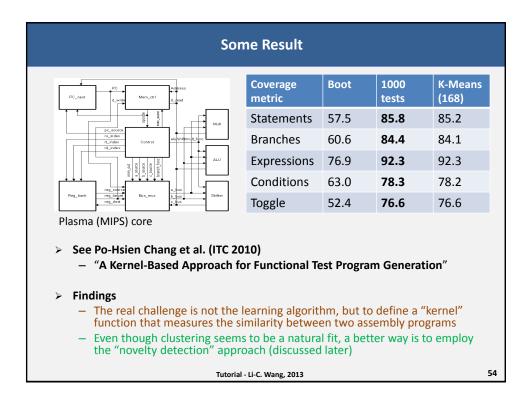
> DBSCAN

- User defines two parameters: min_samples and eps
- A core sample
 - There are at least *min_samples* points within *eps* distance
- A cluster = defined by a set of core samples close to each other
- The algorithm tries to identify "dense" region in the space

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- > Classification
- > Regression
- > Clustering
- > Transformation
- > Outlier Detection
- > Density Estimation
- > Rule Learning

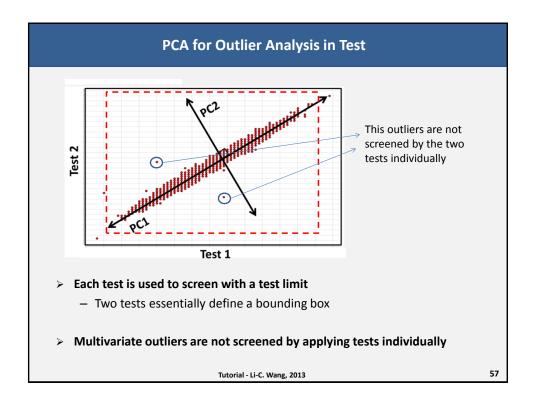
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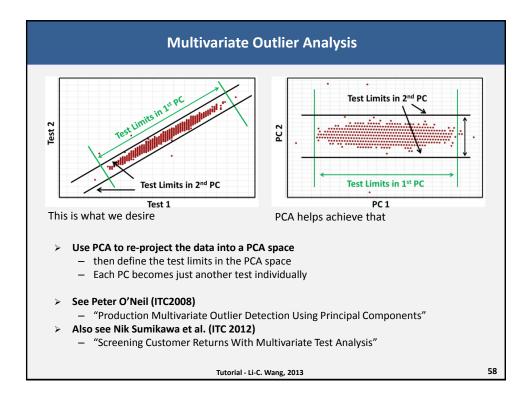
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Transformation – Principal Component Analysis

- Principal Component Analysis (PCA) find directions where the data spread out with large variance
 - 1st PC data spread out with the most variance
 - 2nd PC data spread out with the 2nd most variance
 - ..
- > PCA is good for
 - Dimension reduction feature selection
 - Visualization of high-dimensional data
 - Outlier analysis

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- > Classification
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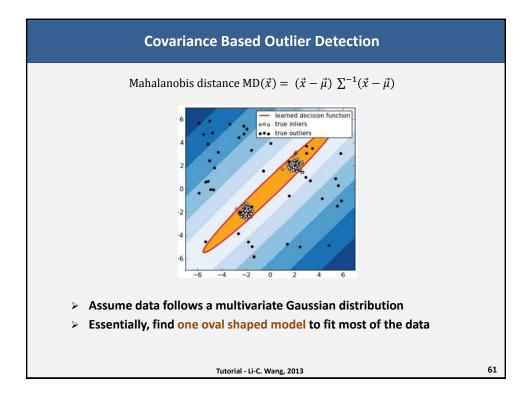
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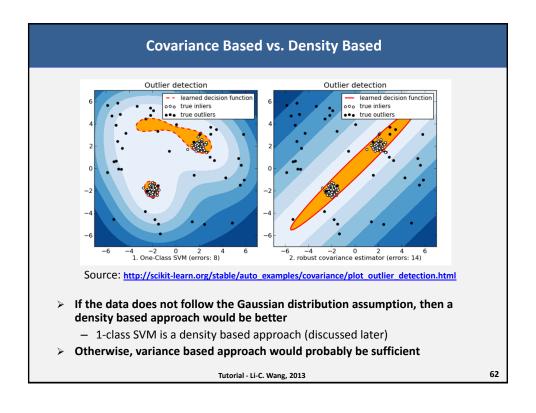
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Novelty Detection – Outlier Analysis

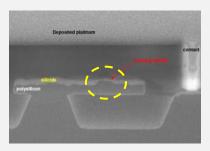
- > Principal Component Analysis
- > Covariance based
 - Mahalanobis distances
- Density based
 - Support Vector Machine one class
- > Tree based
 - Random Forest
- > Not the same as clustering
 - We only care about finding outliers

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An Application – Customer Return Analysis



- > A customer return passes all tests
 - But fail at customer site
 - It is mostly due to latent defect
- > In this particular example
 - SOC controller for automotive
 - Start to fail after driving 15000 miles
 - Show failure only under -40°C
 - Failure is also frequency dependent
 - Determined to be a latent defect

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Outlier Model For Customer Return Telegraphic See Jeff Tikkanen et al. (IRPS 2013) "Statistical Outlier Screening For Latent Defects" Duty Telegraphic See Jeff Tikkanen et al. (IRPS 2013) "Statistical Outlier Screening For Latent Defects"

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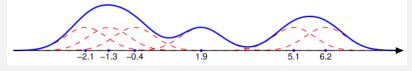
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Density Estimation

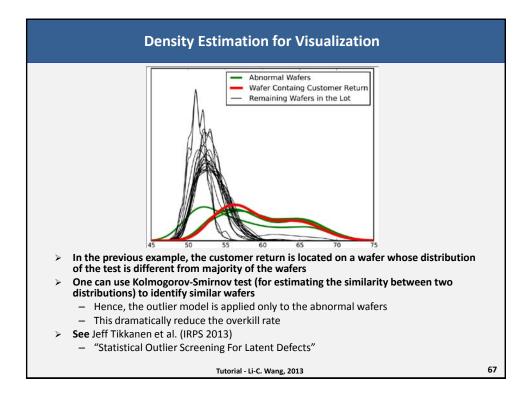
- For density estimation, several non-parametric methods were proposed in 1960s
 - Non-parametric because no fixed functional is given
- One famous example is the Parzen's window
 - Requires the definition of a kernel function that is a symmetric unimodal density function

$$k(x, x_i, \gamma) = \frac{1}{\gamma^n} k(\frac{x - x_i}{\gamma}), x \in \mathbb{R}^n \qquad P(x) = \frac{1}{k} \sum_{i=1}^k k(x, x_i, \gamma)$$

$$k(x, x_i, 1) = \frac{1}{\sigma \sqrt{2\pi}} \exp\left\{-\frac{(x - x_i)^2}{2\sigma^2}\right\}$$
 Gaussian kernel



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Data Mining Approaches Classification Regression Clustering Transformation Outlier Detection Density Estimation Rule Learning

Data Mining 101 – Rule Learning

(features)
$$f_1$$
 f_2 ... f_n

$$\mathbf{X} = \begin{vmatrix} \vec{x}_1 \\ \vec{x}_2 \\ ... \\ \vec{x}_m \end{vmatrix} = \begin{vmatrix} x_{11} & x_{12} & ... & x_{1n} \\ x_{21} & x_{22} & ... & x_{2n} \\ ... & ... & ... & ... \\ x_{m1} & x_{m2} & ... & x_{mn} \end{vmatrix} \quad \vec{y} = \begin{vmatrix} y_1 \\ y_2 \\ ... \\ y_m \end{vmatrix}$$

- **Binary label**
- > With y's label (binary class)
 - Classification rule learning
- > Without y's label (unsupervised)
 - Association rule mining

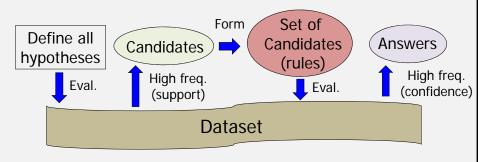
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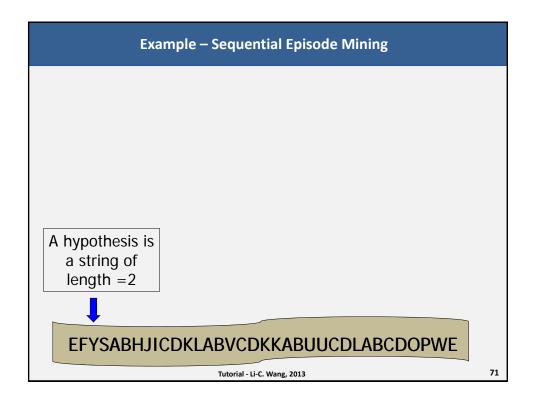
Associate Rule Mining – An Application Example

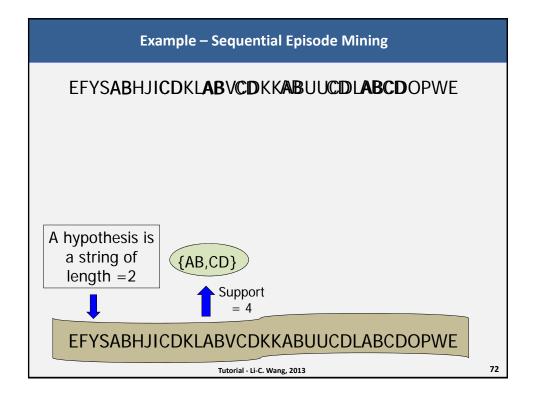
- > Rule mining follows a Support-Confidence Framework
- > The basic principle is simple and intuitive
 - From data, form a hypothesis space of candidates
 - If a candidate appears "frequently" in a dataset, the candidate must have some meaning
- The evaluation of this frequency is a 2-step process Support and then Confidence

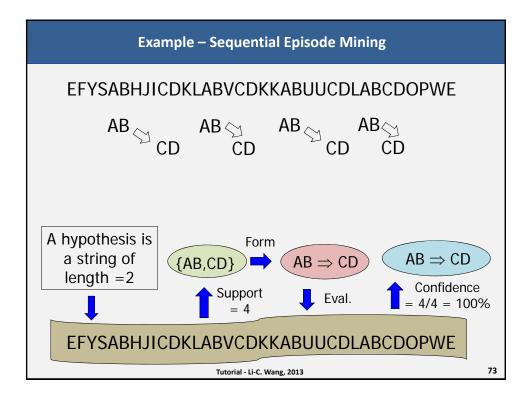


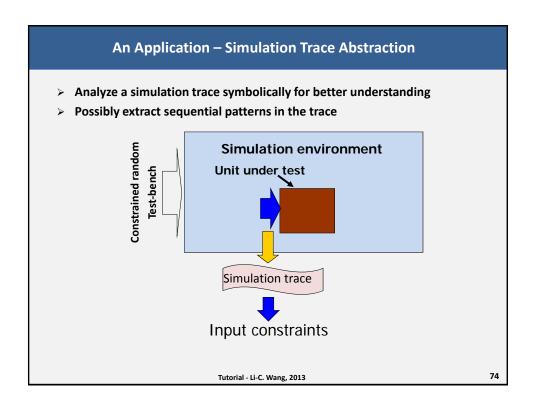
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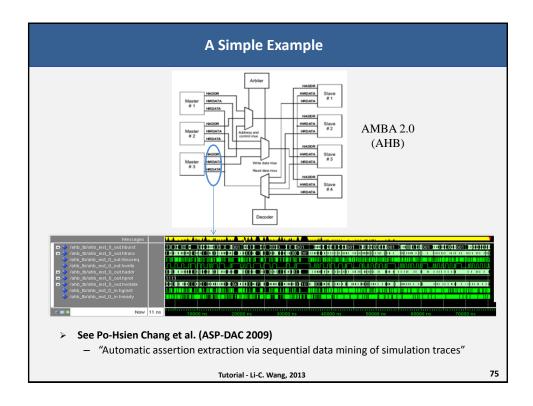
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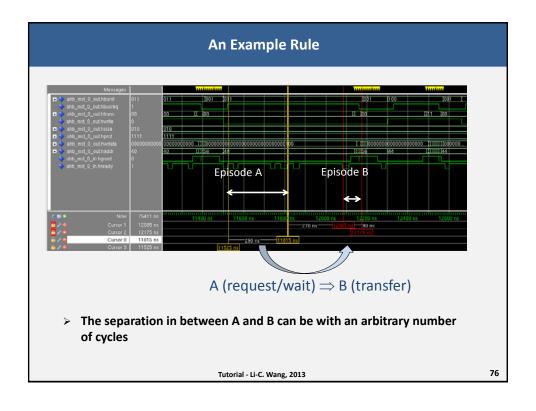


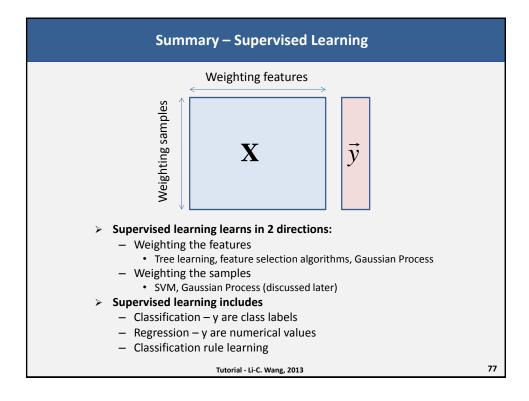


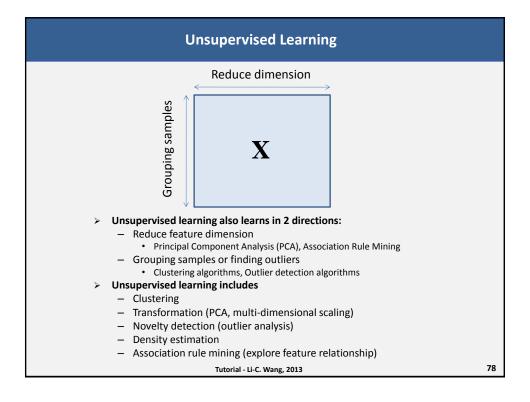








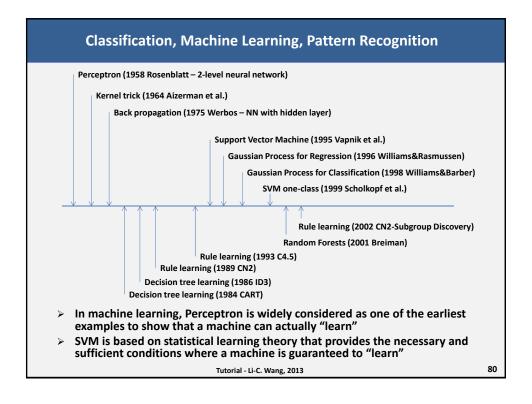




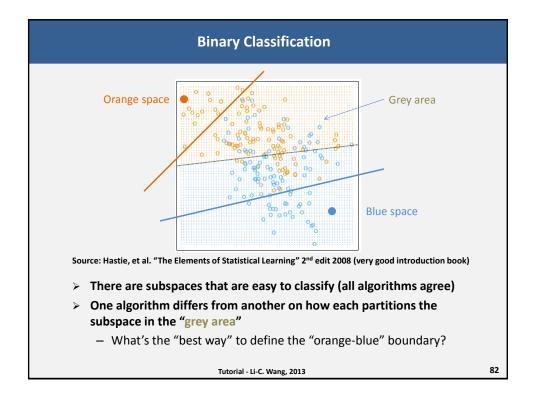
Learning Theory, SVM and Kernel Method

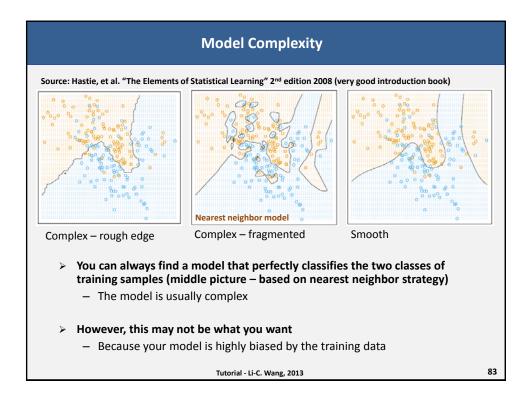
(60->15 minutes)

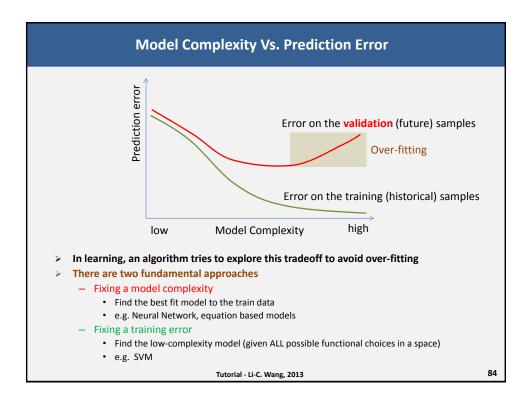
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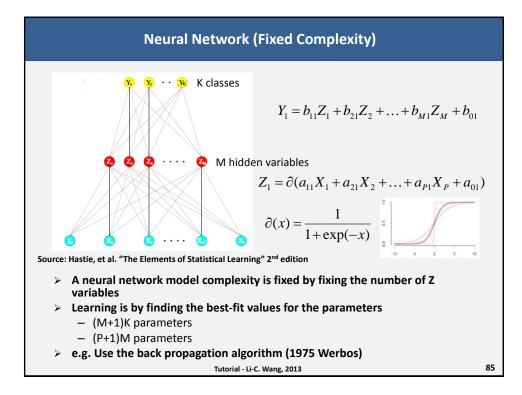


A Popular Dataset For Machine Learning Research O 1 2 3 4 5 6 7 8 9 O 1 2 3 4 5 6 7 8 9 O 1 2 3 4 5 6 7 8 9 O 1 2 3 4 5 6 7 8 9 O 1 2 3 4 5 6 7 8 9 O 1 2 3 4 5 6 7 8 9 Source: Hastie, et al. "The Elements of Statistical Learning" 2nd edition 2008 (very good introduction book) > One of the most popular datasets used in ML research was the USPS dataset for hand-written postal code recognition - e.g. When SVM was introduced, it substantially outperformed others based on this dataset > Question: What is the difference between this problem and yours?









Support Vector Machine

- > Fix the training error, minimize the model complexity
 - Find the "simplest model" to fit the data
 - Occam's razor (William of Ockham 1287-1347)
 - The simplest is the best
 - The <u>razor</u> states that one should proceed to simpler theories until simplicity can be traded for greater explanatory power.
- > What is the complexity of a learning model?
 - What is the model like?

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What Is The Model Like?

> Suppose we have a similarity function that measures the similarity between any two sample vectors

$$k(\vec{x}, \vec{x}_i)$$
 measures the similarity between two vectors

> An SVM model always take the following form:

$$f(\vec{x}) = b + \sum \alpha_i k(\vec{x}, \vec{x}_i)$$

Weighted average of similarity measures

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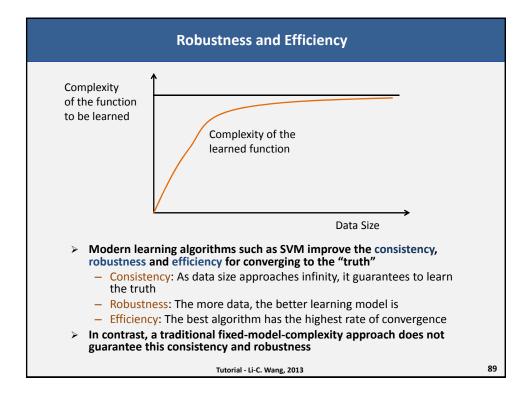
Model Complexity

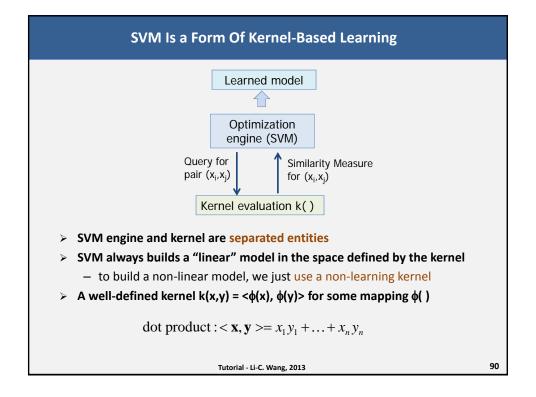
$$\mathbf{X} = \begin{vmatrix} \vec{x}_1 \\ \vec{x}_2 \\ \dots \\ \vec{x}_m \end{vmatrix} = \begin{vmatrix} x_{11} & x_{12} & \dots & x_{1n} \\ x_{21} & x_{22} & \dots & x_{2n} \\ \dots & \dots & \dots & \dots \\ x_{m1} & x_{m2} & \dots & x_{mn} \end{vmatrix} \quad \vec{\alpha} = \begin{vmatrix} \alpha_1 \\ \alpha_2 \\ \dots \\ \alpha_m \end{vmatrix}$$

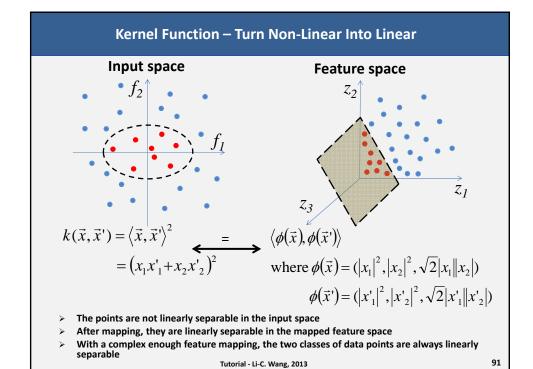
Model complexity
$$\propto (\alpha_1 + ... + \alpha_m)$$

> In SVM theory, model complexity is measured by the sum of alpha's

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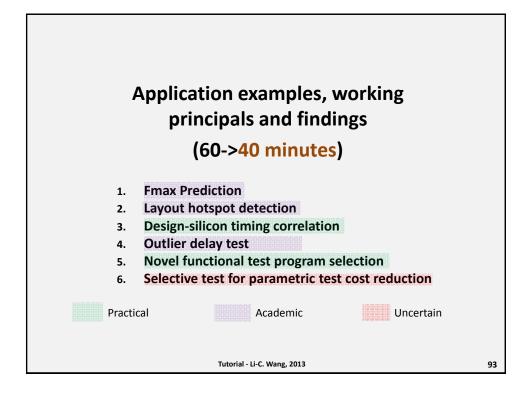


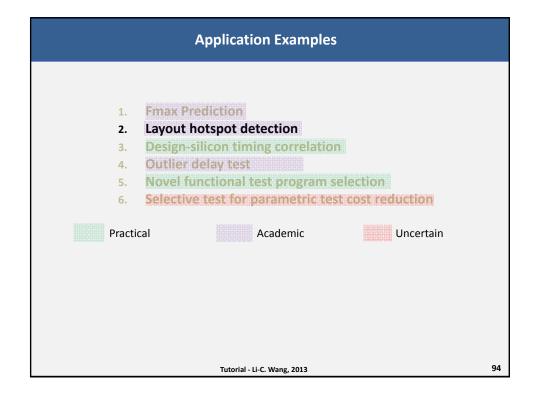


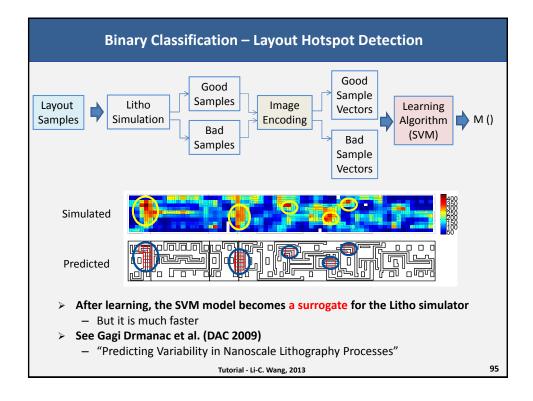
Bayesian SVM

- > In SVM, a given kernel is a prior
 - That gives our belief on how the data points are distributed in the kernel-induced learning space
 - This prior may not be optimal
- If we have a perfect kernel, separation of two classes will become extremely easy
- > Bayesian inference can be combined to estimate a best kernel
 - Learning includes finding the best kernel for the prediction
- The overall framework is called Gaussian Process (or GP, see the book, Gaussian Process for Machine Learning, http://www.gaussianprocess.org/)
 - Very successful in regression
 - Not yet applicable in unsupervised learning

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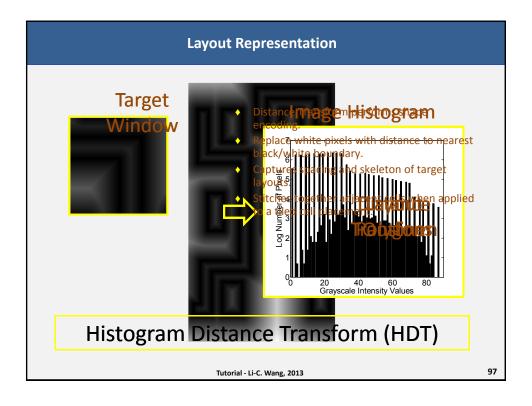


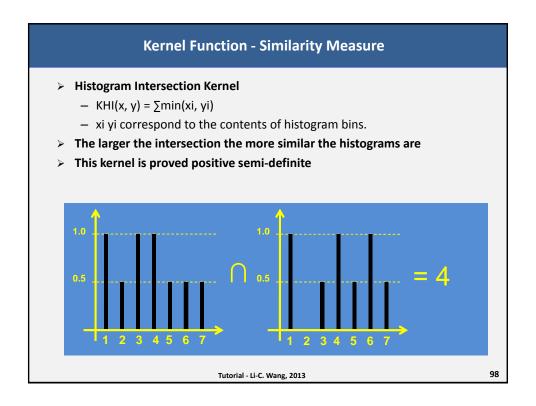


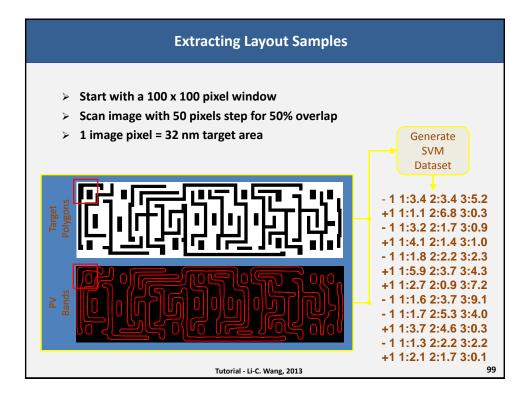
Two Fundamental Issues

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How layout is represented So that similarity between two layout samples can be captured? How big is a layout sample? The choices have non-trivial influence to the result

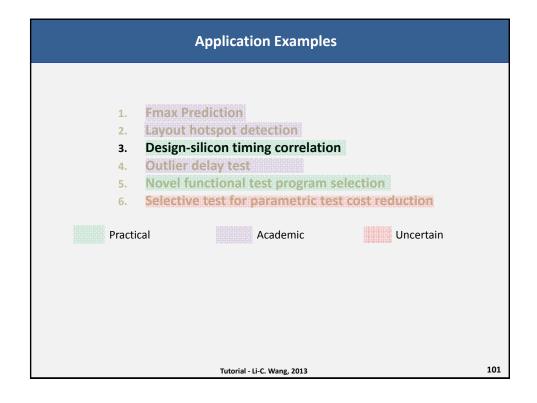


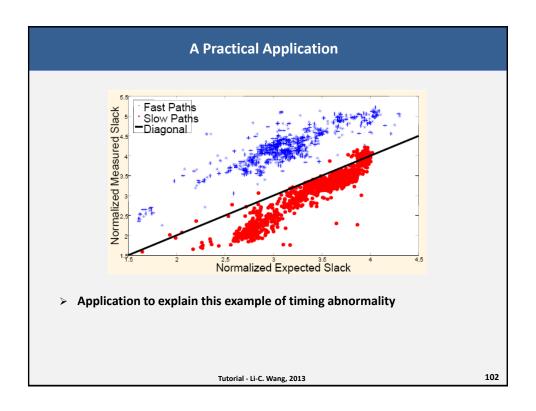


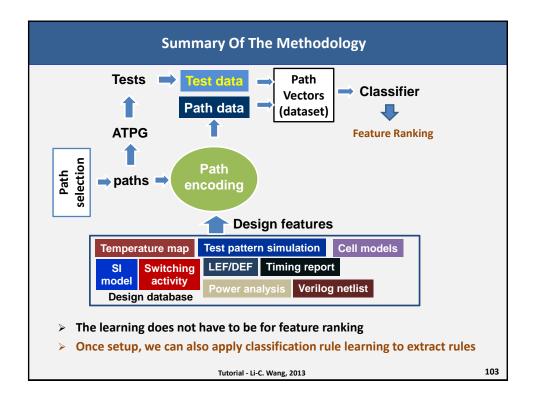


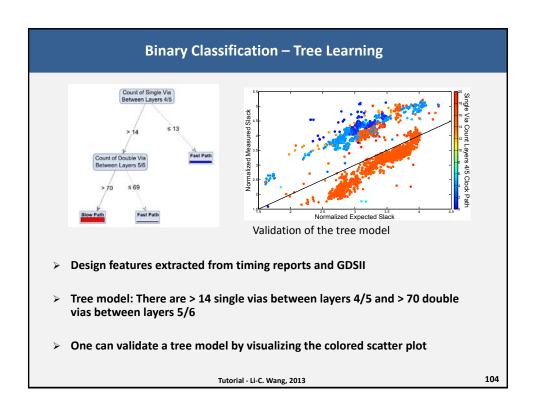
The work was discontinued because Not sure if it provide either accuracy and/or speed benefit to the rule-based approach Or, learning should be used to extract rules, not just a prediction model It should be applicable to the next technology node – difficult to obtain data

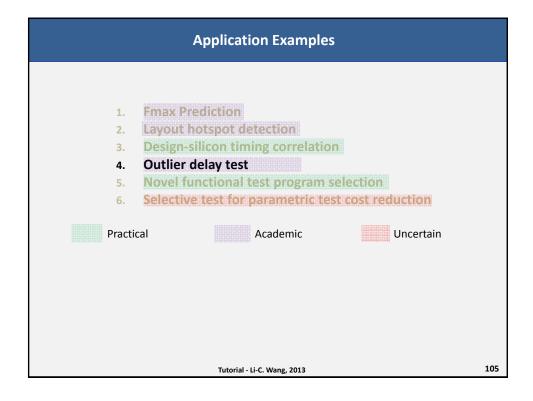
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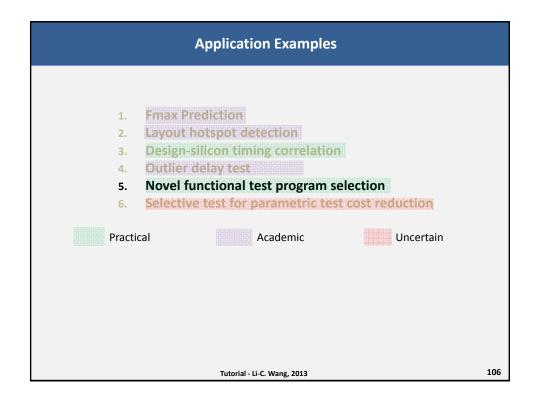


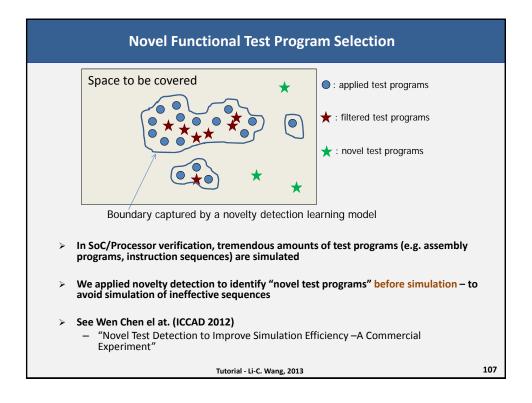


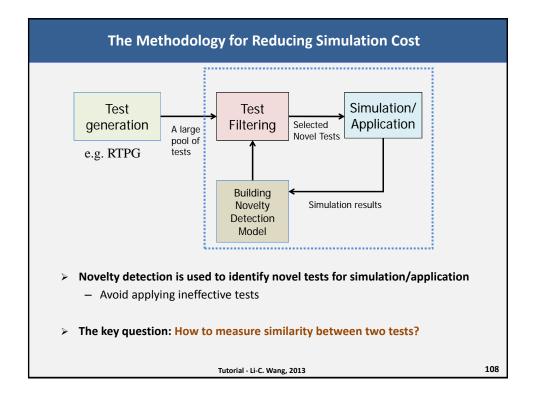


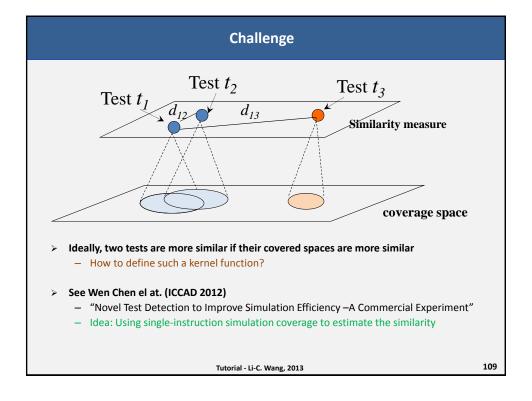


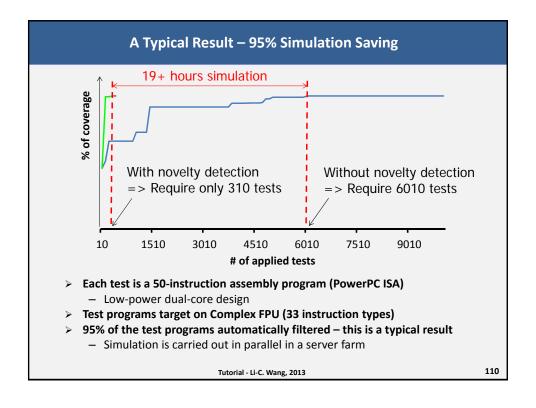


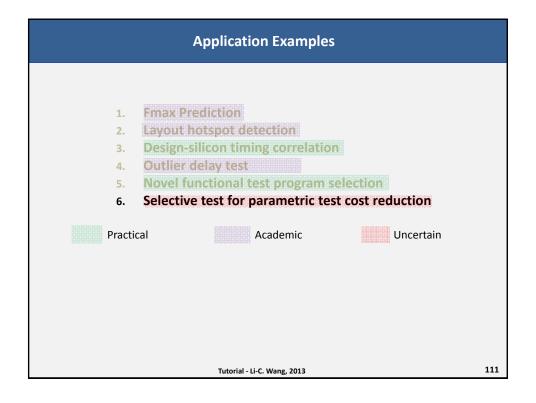


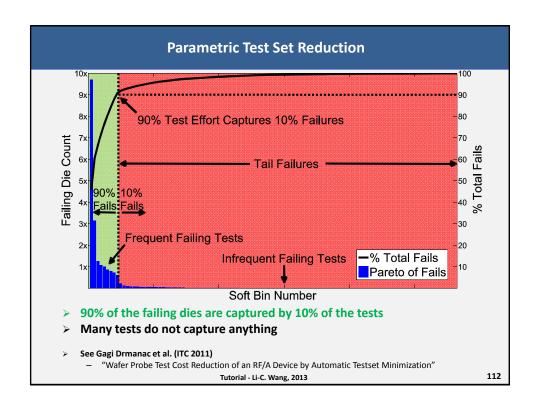


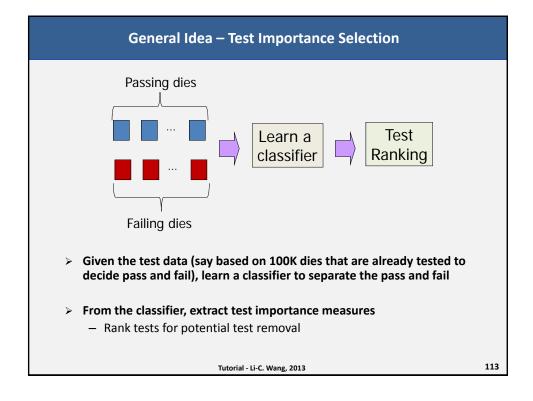








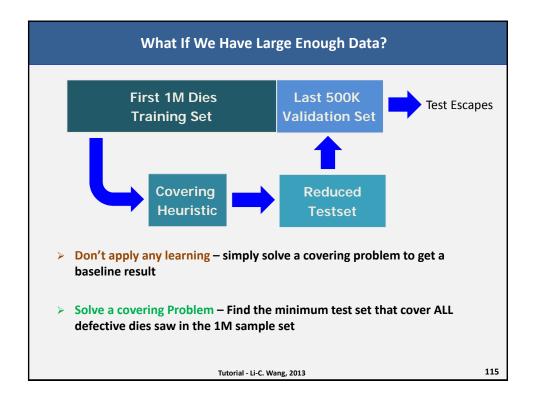


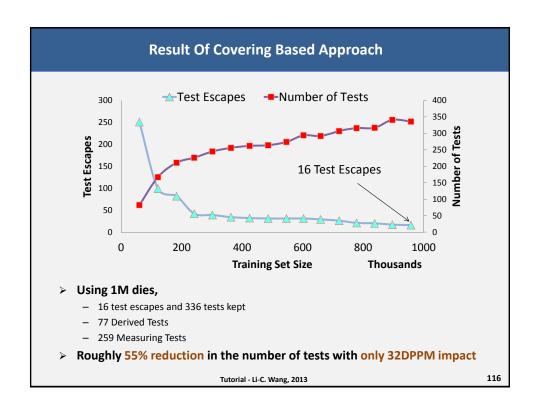


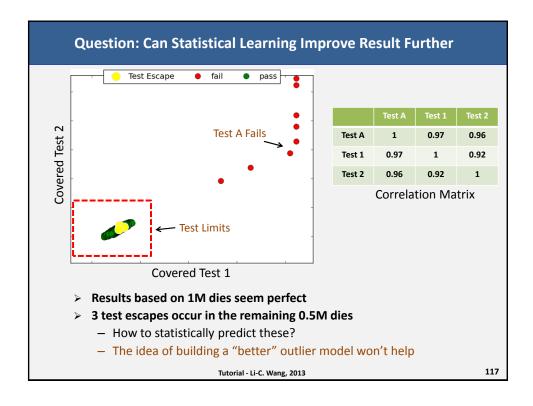
Some Result

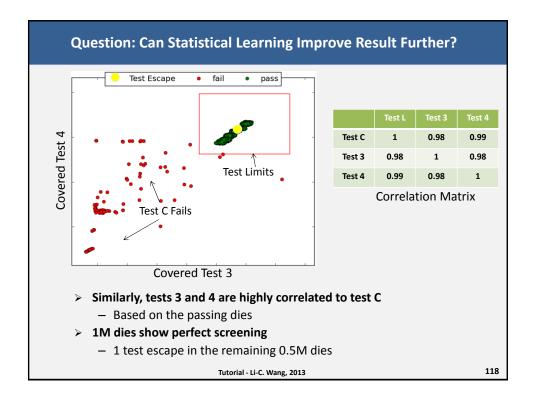
- > Based on a data set
 - 700+ parametric wafer probe tests
 - RF/A device (Qualcomm)
 - 1.5M samples
- > Result
 - Learn from 10K-100K samples
 - Drop 30% of the tests
 - 0.4% escape (capture in final test stage)
 - 0.28% overkill
- > Test team demands less than 50 DPPM impact result not acceptable
- > See Gagi Drmanac et al. (ITC 2011)
 - "Wafer Probe Test Cost Reduction of an RF/A Device by Automatic Testset Minimization"

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Lessons Learned

- A statistical learning approach tries to generalize beyond what it sees in a given dataset
 - That should be why a statistical approach is better than a simple covering approach that only tries to fit the given data
- However, even though a statistical approach gives good result, the approach may not make sense
 - Need to be better than the simple approach
 - Need to make the comparison with large dataset
- > We are intrigued by a complex algorithm with beautiful math
 - In practice, with enough data, perhaps a naïve simple approach will work just fine
- > In data mining, data is more important than algorithm

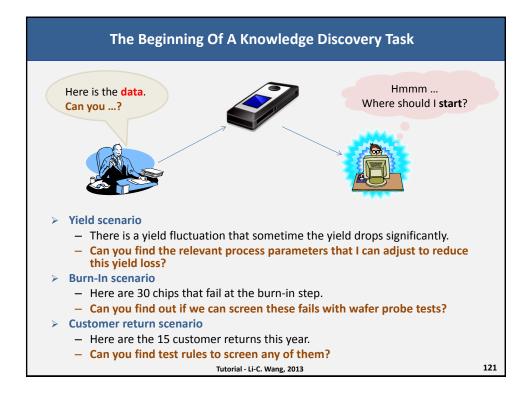
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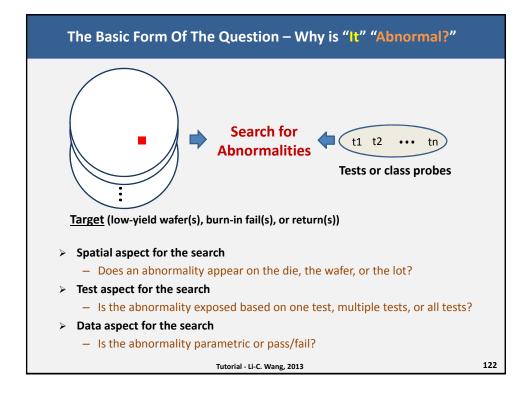
119

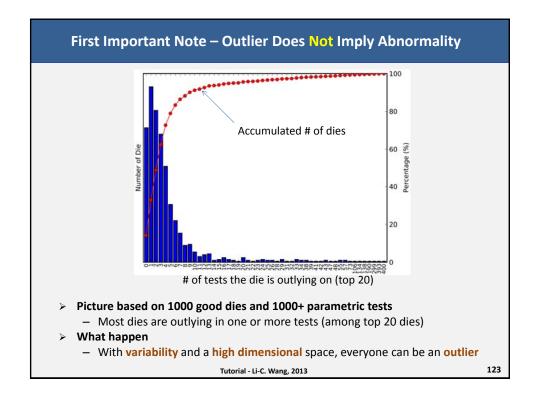
Knowledge Discovery in Test Applications

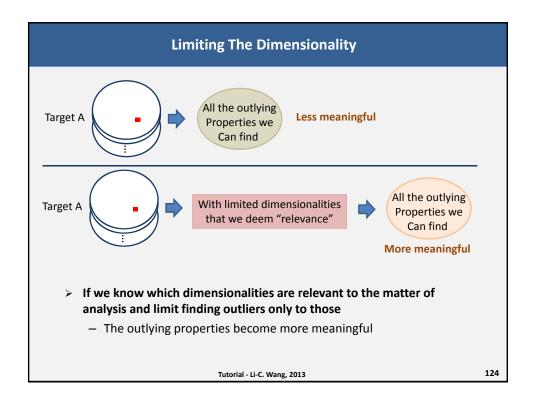
(60->30 minutes)

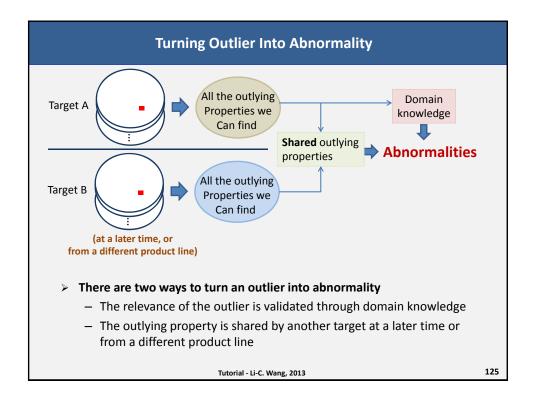
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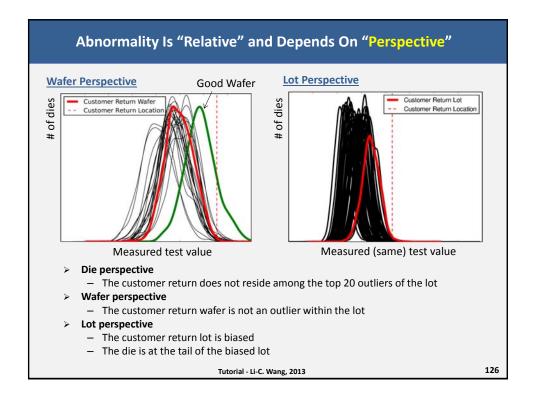


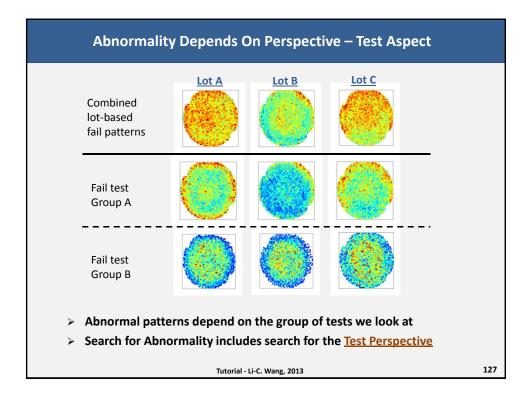


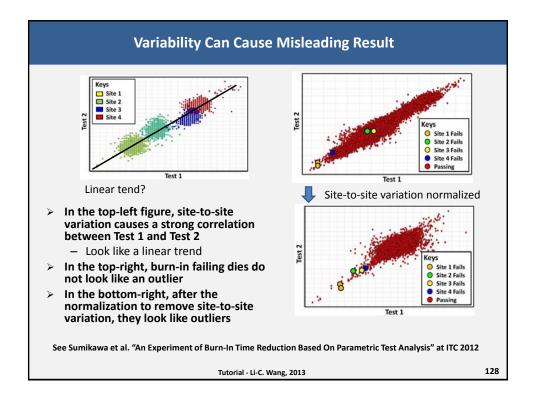


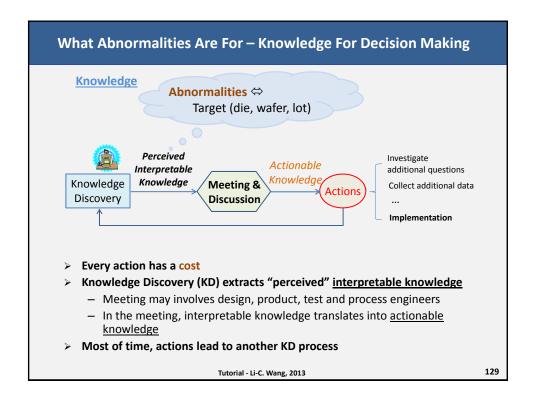


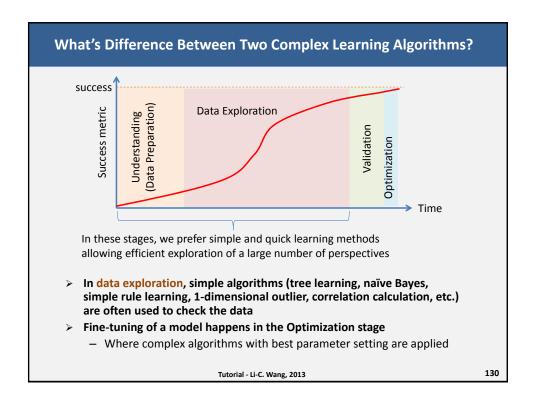


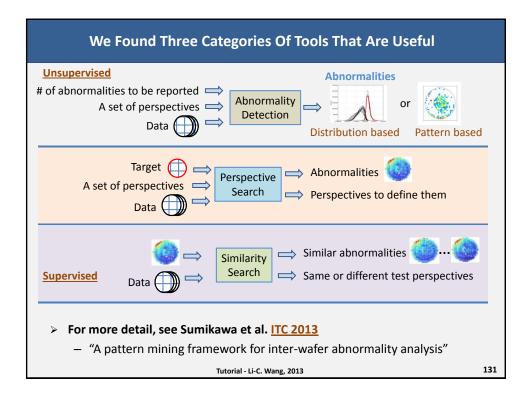


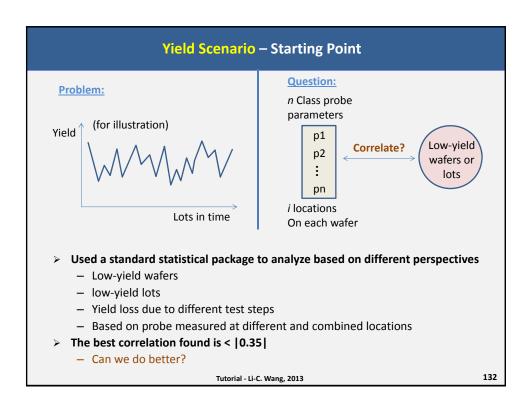


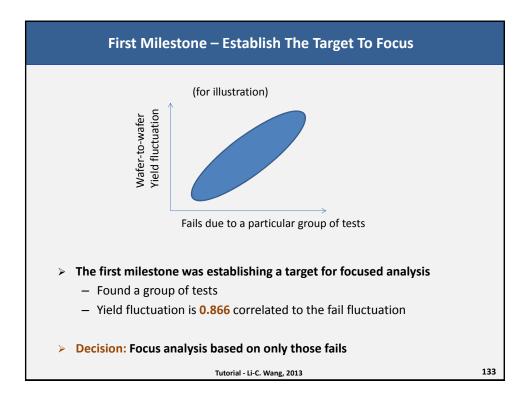


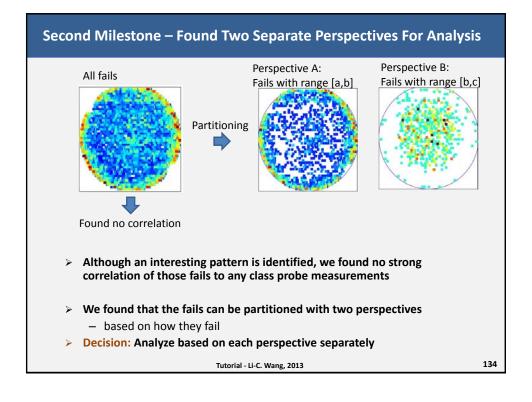


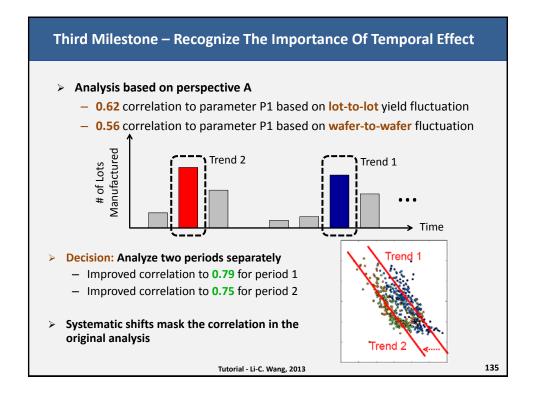


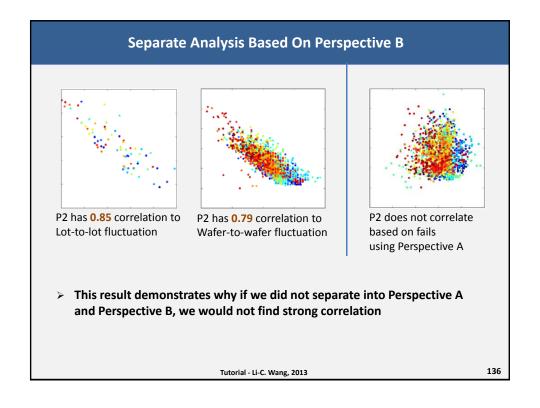










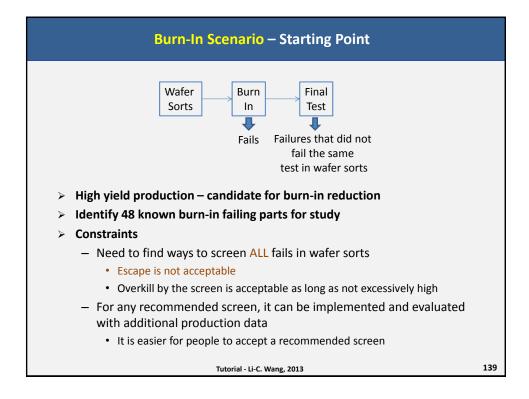


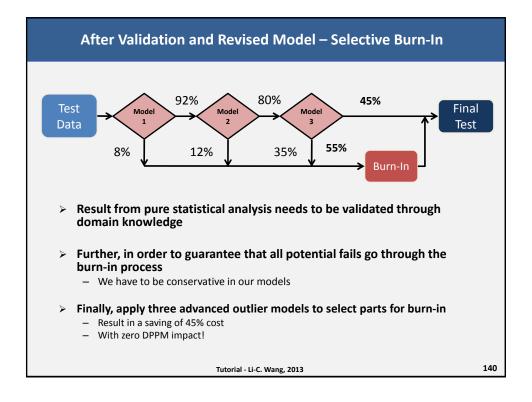
More To Do Before Implementing A Process Change

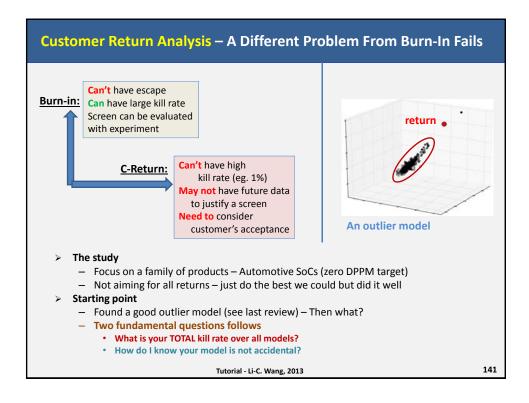
- > Made a recommendation for process parameter changes
- > Need to answer additional questions before implementation
 - There was a suspected weak component evaluated potential impact from the recommendation based on specific devices in the component
 - There was an earlier unsuccessful split lot experiment made sure the recommendation do not cause the same problems
 - Made sure no evidence that the recommendation would not cause more fails due to other types of tests
- > After all those questions were cleared => Implemented the changes

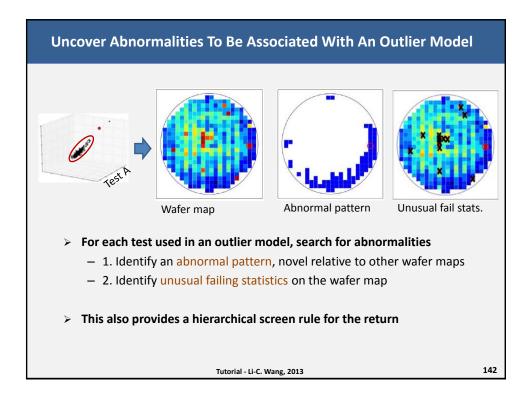
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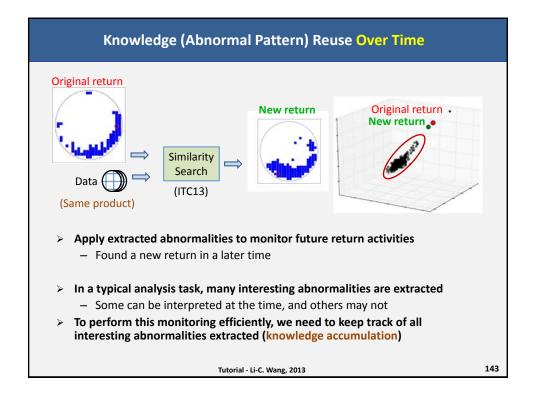
137

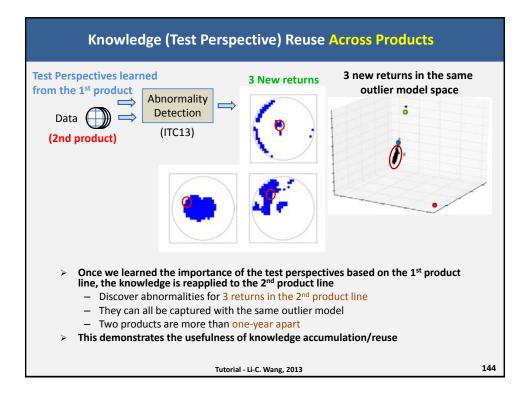












Knowledge Discovery in Functional Verification (15 minutes)

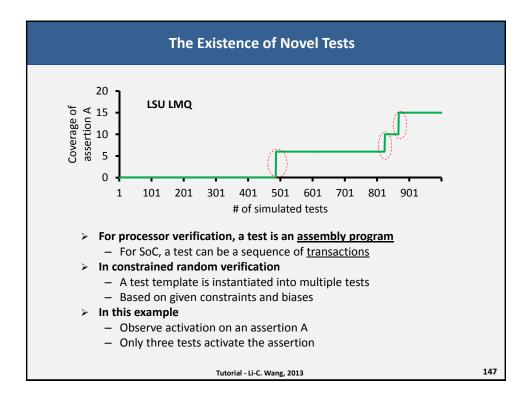
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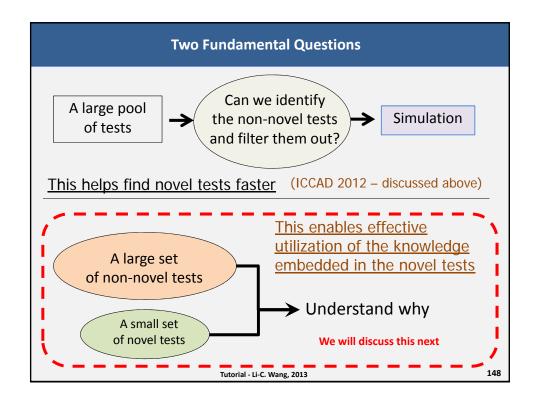
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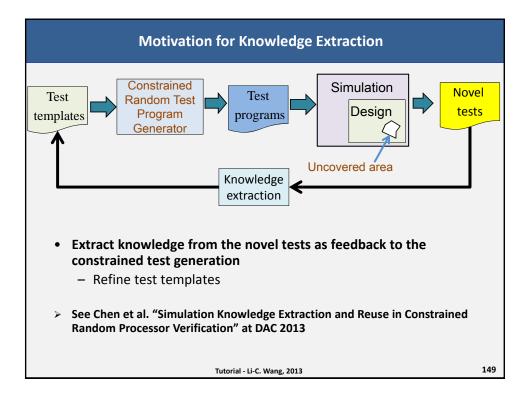
Application Context

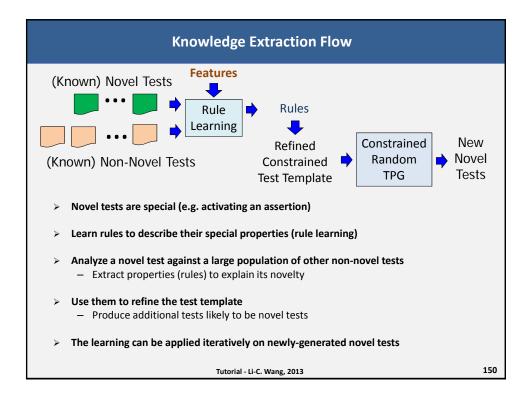
- > Focus on simulation based functional verification
 - Based on constrained random verification environment
- > Functional verification is an iterative process
 - Design changes over time
 - Verification restarts when a new version is released
- > Two assets are kept from one iteration to the next
 - 1. Important (NOVEL) tests collected through simulation
 - For example, tests activating assertions of interest or capturing bugs
 - 2 . Test templates that produce those NOVEL tests
- These two assets embed the knowledge accumulated the iterations of verification effort

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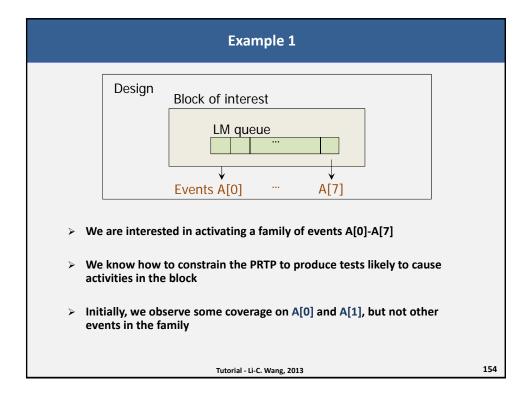




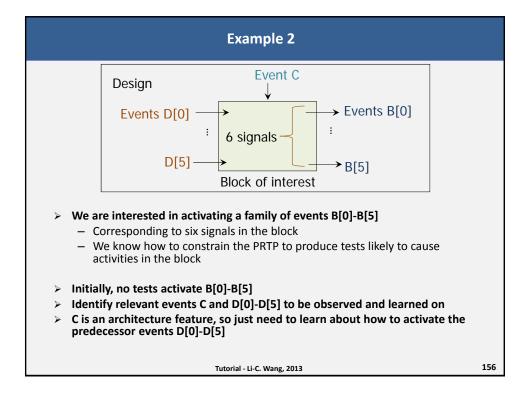
Two-level of Features					
Instruction sequence	Arch. feature vector Instr. feature vector				
 Based on architecture. Based on micro-at Based on architecture. Based on architecture. Describe importation. See Wen Chen et al. (I architecture. "Simulation Know Also "A Two-level." 	 Based on architecture states from architectural simulation Based on micro-architecture states from the workbook Instruction features (I-features) Describe important characteristics of an instruction See Wen Chen et al. (DAC 2013) "Simulation Knowledge Extraction and Reuse for Processor Verification" 				
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	A-Features	
Foothure	Bulas	
Feature	Rules	
STQFWD enable (-1, i); i=0,1, 10	Store => Load \wedge address collision \wedge no more than i instruction in between the store load pair	
LMQ enable	Load ∧ CacheInhibited=1	
	Load ∧ CacheInhibited=0 ∧ folding=0	
	waitrsv	
Cflush enable	Multiply ∧ result overflow ∧ XER[o]=0	
	Mispredicted branch	
	isync	
TLB invalid	tlbivax	
ST queue full	Stmw ^ RT<23	
 Rules to a 	corresponds to a state variable described in the workbook ctivate the feature are recorded in the tool, and used to test program activates the feature	
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I-Features				
Instructions	features			
lmw	RT, EA, RA, misaligned, address collision			
stmw	RT, EA, RA, misaligned, address collision			
mulld	RA, RB, execution result, overflow, data dependency			
divd	RA, RB, execution result, divide-by-zero, data dependency			
add	RA, RB, execution result, overflow, data dependency			
Sub	RA, RB, execution result, underflow, data dependency			
branch	mispredicted			
 Features are to describe the important characteristics of an instruction These features are used for refining the learning result based on A-features 				
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Test set Initial Iteration 1 Iteration 2 # of tests 400 100 50 A[0] 10 3 72 A[1] 17 11 59 A[2] 0 10 71 A[3] 0 10 83 A[4] 0 4 79 A[5] 0 2 97 A[6] 0 1 96 A[7] 0 1 87 Iteration 1: - Learning rules based on the tests activating A[0] and A[1] - Applying rules to generate 100 new tests Iteration 2: - Learning rules based on good tests found in iteration 1 - Applying refined rules to generate 50 new tests	Result					
A[0] 10 3 72 A[1] 17 11 59 A[2] 0 10 71 A[3] 0 10 83 A[4] 0 4 79 A[5] 0 2 97 A[6] 0 1 96 A[7] 0 1 87 Iteration 1: - Learning rules based on the tests activating A[0] and A[1] - Applying rules to generate 100 new tests Iteration 2: - Learning rules based on good tests found in iteration 1	Test set Initial Iteration 1 Iteration 2					
A[1] 17 11 59 A[2] 0 10 71 A[3] 0 10 83 A[4] 0 4 79 A[5] 0 2 97 A[6] 0 1 96 A[7] 0 1 87 Iteration 1: - Learning rules based on the tests activating A[0] and A[1] - Applying rules to generate 100 new tests Iteration 2: - Learning rules based on good tests found in iteration 1	# of tests	400	100	50		
A[2] 0 10 71 A[3] 0 10 83 A[4] 0 4 79 A[5] 0 2 97 A[6] 0 1 96 A[7] 0 1 87 Iteration 1: - Learning rules based on the tests activating A[0] and A[1] - Applying rules to generate 100 new tests Iteration 2: - Learning rules based on good tests found in iteration 1	A[0]	10	3	72		
A[3] 0 10 83 A[4] 0 4 79 A[5] 0 2 97 A[6] 0 1 96 A[7] 0 1 87 Iteration 1: - Learning rules based on the tests activating A[0] and A[1] - Applying rules to generate 100 new tests Iteration 2: - Learning rules based on good tests found in iteration 1	A[1]	17	11	59		
A[4] 0 4 79 A[5] 0 2 97 A[6] 0 1 96 A[7] 0 1 87 > Iteration 1: - Learning rules based on the tests activating A[0] and A[1] - Applying rules to generate 100 new tests > Iteration 2: - Learning rules based on good tests found in iteration 1	A[2]	0	10	71		
A[5] 0 2 97 A[6] 0 1 96 A[7] 0 1 87 Iteration 1: - Learning rules based on the tests activating A[0] and A[1] - Applying rules to generate 100 new tests Iteration 2: - Learning rules based on good tests found in iteration 1	A[3]	0	10	83		
A[6] 0 1 96 A[7] 0 1 87 > Iteration 1: - Learning rules based on the tests activating A[0] and A[1] - Applying rules to generate 100 new tests > Iteration 2: - Learning rules based on good tests found in iteration 1	A[4] 0 4 79					
A[7] 0 1 87 > Iteration 1: - Learning rules based on the tests activating A[0] and A[1] - Applying rules to generate 100 new tests > Iteration 2: - Learning rules based on good tests found in iteration 1	A[5] 0 2 97					
 Iteration 1: Learning rules based on the tests activating A[0] and A[1] Applying rules to generate 100 new tests Iteration 2: Learning rules based on good tests found in iteration 1 	A[6] 0 1 96					
 Learning rules based on the tests activating A[0] and A[1] Applying rules to generate 100 new tests Iteration 2: Learning rules based on good tests found in iteration 1 	A[7] 0 1 87					
	 Learning rules based on the tests activating A[0] and A[1] Applying rules to generate 100 new tests Iteration 2: Learning rules based on good tests found in iteration 1 					



Result							
Test set	Test set Initial Iteration 1 Iteration 2						
# of tests	>30k	1200	100				
B[0]	0	1	2				
B[1]	0	0	1				
B[2]	0	0	1				
B[3]	0	16	56				
B[4]	0	25	61				
B[5]	0	26	77				

> Similarly, Iteration 1:

- Learning rules based on the tests activating D[0] to D[5]
- Applying rules to generate 1200 new tests to target on D[0] to D[5]
- Fortuitously, some tests now activate B[0], B[3] to B[5]

> Iteration 2:

- Learning rules based on these good tests found in iteration 1
- Applying refined rules to generate 100 new tests

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Final Remark and Questions (10->5 Minutes)

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Final Remarks – BIG Data (Medium Data)

- > Collection of data sets (Big)
 - Extremely large and complex
 - Difficult for traditional database and/or data processing tools
- > Challenges in multi-fronts (Big/Medium)
 - Capture
 - Storage
 - Search
 - Sharing
 - Transfer
 - Model/analysis
 - Visualization
- > Let's focus on the Model/Analysis aspect
 - Do Design and Test have the "BIG data" problems?

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Model and Analysis With "Big" Data

- > Modeling consumer behavior
 - The underlying "function" is rather steady
 - We have time to accumulate enough data
- > Medical diagnosis
 - The underlying "function" is rather steady
 - We have time to accumulate enough data
- > Social network mining
 - The underlying "function" is rather steady
 - We have time to accumulate enough data
- > Other examples?

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What Are Our Problems Like?

- > Why silicon timing does not match my predicted timing?
 - Very much case dependent underlying reasons can be many
 - There is a time limit for the answer to be valuable
 - Data is limited (additional data may be costly or prohibited)
- > Are my defects caused by DFM issues? Which?
- > Can we find actions to contain these 15 customer returns?
- Can we find way to screen these 50 burn-in fails so that we don't need to run burn-in?
- > Can we find a recipe to adjust the process for improving yield?
- > Can we learn how to effectively activate this functional state?
- > Can we optimize the functional tests for silicon power worsening?
- ➣ ..
- We have a "Small" Data Model and Analysis Problem!!

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Something To Think About ...

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Small (Specific) Big (Asymptotic) The underlying "function" to learn is very The underlying "function" to learn is case-dependent rather steady Getting new data can be costly or If data is not enough, wait and get more prohibited While we may large amounts of data, we Data can be accumulated over time have little information on the care space hence the data is almost "unlimited" Look for novelty (specialty, abnormality) Look for trends (frequent patterns) Trends are often obvious to the domain Trends are new knowledge experts There is a strict time constraint for the These is less time constraint to solve the answer to be valuable

> ... There can be other angles to differentiate the two paradigms

Research focuses on ???

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Much research focuses on optimizing the

learning algorithms

Five Key Messages To Take Away

- > 5. A complex algorithm may not perform better in a specific scenario in most of the cases a simple algorithm (like CART) may be enough
- 4. Data mining in design and test is a Knowledge Discovery process uncover Interpretable and Actionable knowledge
- > 3. In a Knowledge Discovery process, data preparation and data exploration consumes most of the time
- > 2. Before you try learning, try some simple non-learning based heuristic first that may give you the best result already
- > 1. We can only declare a success when people accept the result, action is taken, and improvement is observed over the existing flow

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The End

THANK YOU!

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